
Applying qualitative comparative analysis (QCA) in poverty research

Dr. Mary Zhang

Senior Research Associate
School for Policy Studies
University of Bristol

I. What is QCA

- 1.1 Boolean algebra
- 1.2 Boolean minimisation
- 1.3 Necessary vs. sufficient conditions (I)
- 1.4 Veen diagram

II. Crisp-set QCA

- 2.1 The truth table
- 2.2 Types of configurations
- 2.3 Resolve contradictory configurations

III. Fuzzy-set QCA

- 3.1 Calibration of fuzzy-set
- 3.2 Logical AND & OR
- 3.3 Necessary vs. sufficient conditions (II)

I. What is QCA

- 1.1 Boolean algebra
- 1.2 Boolean minimisation
- 1.3 Necessary vs. sufficient conditions (I)
- 1.4 Veen diagram

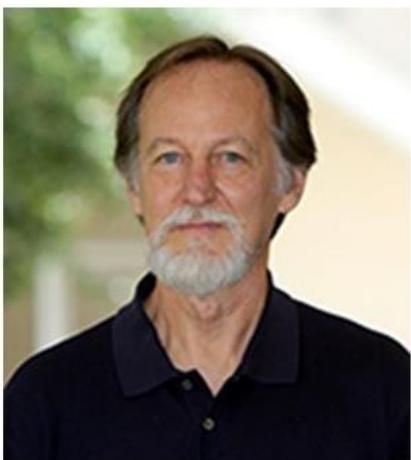
II. Crisp-set QCA

- 2.1 The truth table
- 2.2 Types of configurations
- 2.3 Resolve contradictory configurations

III. Fuzzy-set QCA

- 3.1 Calibration of fuzzy-set
- 3.2 Logical AND & OR
- 3.3 Necessary vs. sufficient conditions (II)

I. What is QCA



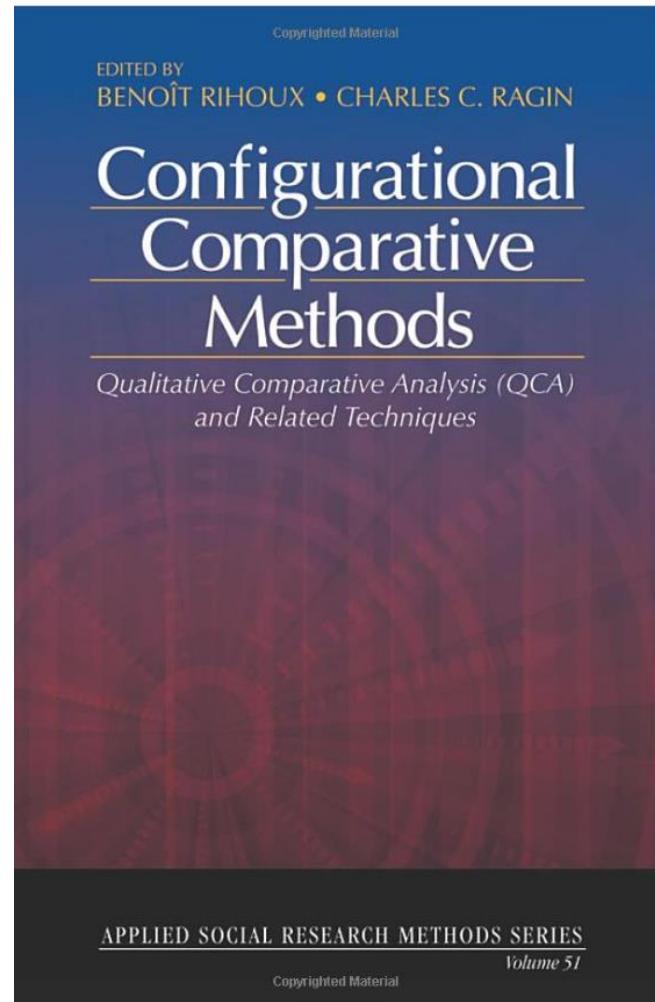
Charles C. Ragin

Chancellor's Professor of Sociology
at the University of California, Irvine

Some Key QCA Works:

- The Comparative Method (1987)
- Fuzzy-Set Social Science (2000)
- Redesigning Social Inquiry: Fuzzy Sets and Beyond (2008)

“...to *identify patterns* of multiple conjectural causation and *simplify complex data structures* in a logical and holistic manner” (Rihoux & de Meur, 2012, p.33)



I. What is QCA

		small number of cases		
		Variable-orientated	Case-orientated	
		quantitative	qualitative	
causal competition		variables independent & evaluated against each	effect of one factor depending on presence/absence of others	causal combination
causal homogeneity		all variables work the same way in all cases	multiple paths leading to same outcome	equifinality

“using the basic principles of *Boolean algebra*, QCA can identify, simplify and compare the *combinations* of conditions leading to a particular outcome” (Krook, 2010)

I. What is QCA

1.1 Boolean algebra

1.2 Boolean minimisation

1.3 Necessary vs. sufficient conditions (I)

1.4 Veen diagram

II. Crisp-set QCA

2.1 The truth table

2.2 Types of configurations

2.3 Resolve contradictory configurations

III. Fuzzy-set QCA

3.1 Calibration of fuzzy-set

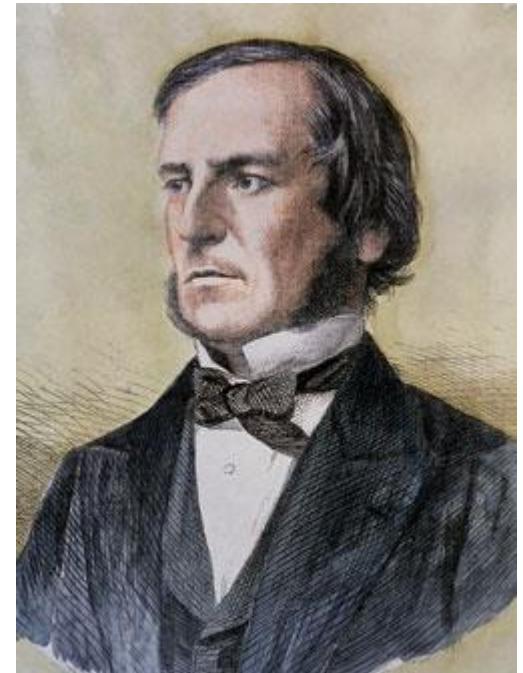
3.2 Logical AND & OR

3.3 Necessary vs. sufficient conditions (II)

1.1 Boolean algebra

Boolean algebra conventions

UPPERCASE	condition [A] is present/high/large
lowercase	condition [b] is absent/low/small
*	logical AND: $[C^*d]$ the presence of condition [C] AND the absence of condition [d]
+	logical OR: $[c + D]$ the absence of condition [c] OR the presence of condition [D]



George Boole
19th Century British
mathematician and logician

I. What is QCA

1.1 Boolean algebra

1.2 Boolean minimisation

1.3 Necessary vs. sufficient conditions (I)

1.4 Veen diagram

II. Crisp-set QCA

2.1 The truth table

2.2 Types of configurations

2.3 Resolve contradictory configurations

III. Fuzzy-set QCA

3.1 Calibration of fuzzy-set

3.2 Logical AND & OR

3.3 Necessary vs. sufficient conditions (II)

1.2 Boolean minimisation

“if two Boolean expressions differ in **only one** causal condition yet produce the same outcome, then the causal condition that **distinguishes** the two expressions can be considered **irrelevant** and can be **removed**” (Ragin, 1987, p.93)

* = logical AND

+ = logical OR

UPPERCASE = PRESENCE
lowercase = absence

$$R * B * I + R * B * i \rightarrow O$$


$$R * B \rightarrow O$$

I. What is QCA

- 1.1 Boolean algebra
- 1.2 Boolean minimisation
- 1.3 Necessary vs. sufficient conditions (I)**
- 1.4 Veen diagram

II. Crisp-set QCA

- 2.1 The truth table
- 2.2 Types of configurations
- 2.3 Resolve contradictory configurations

III. Fuzzy-set QCA

- 3.1 Calibration of fuzzy-set
- 3.2 Logical AND & OR
- 3.3 Necessary vs. sufficient conditions (II)**

1.3 Necessary vs. sufficient conditions (I)

A **necessary** condition is a condition that must be present for the outcome to occur, but its presence does not guarantee that occurrence.

A **sufficient** condition is a condition that is sufficient for an outcome, if the outcome always occurs when the condition (or combination of conditions) is present.

* = logical AND

+ = logical OR

UPPERCASE = PRESENCE
lowercase = absence

$$R * B * I + R * B * i \rightarrow O$$



$$R * B \rightarrow O$$

I. What is QCA

- 1.1 Boolean algebra
- 1.2 Boolean minimisation
- 1.3 Necessary vs. sufficient conditions (I)
- 1.4 Veen diagram

II. Crisp-set QCA

- 2.1 The truth table
- 2.2 Types of configurations
- 2.3 Resolve contradictory configurations

III. Fuzzy-set QCA

- 3.1 Calibration of fuzzy-set
- 3.2 Logical AND & OR
- 3.3 Necessary vs. sufficient conditions (II)

1.4 Veen diagram: visualisation of Boolean minimisation

conditions	possibilities	
R	RIGHT (1)	not-right (0)
B	BELOW (1)	not-below (0)
I	INSIDE (1)	not-inside (0)

$$R * B \rightarrow O$$



all possible combinations ($2 \times 2 \times 2 = 8$)				
caseid	R	B	I	O
1	0	0	0	
2	1	0	0	
3	0	0	1	
4	1	0	1	
5	0	1	1	
6	0	1	0	
7	1	1	1	
8	1	1	0	

1.4 Veen diagram: visualisation of Boolean minimisation

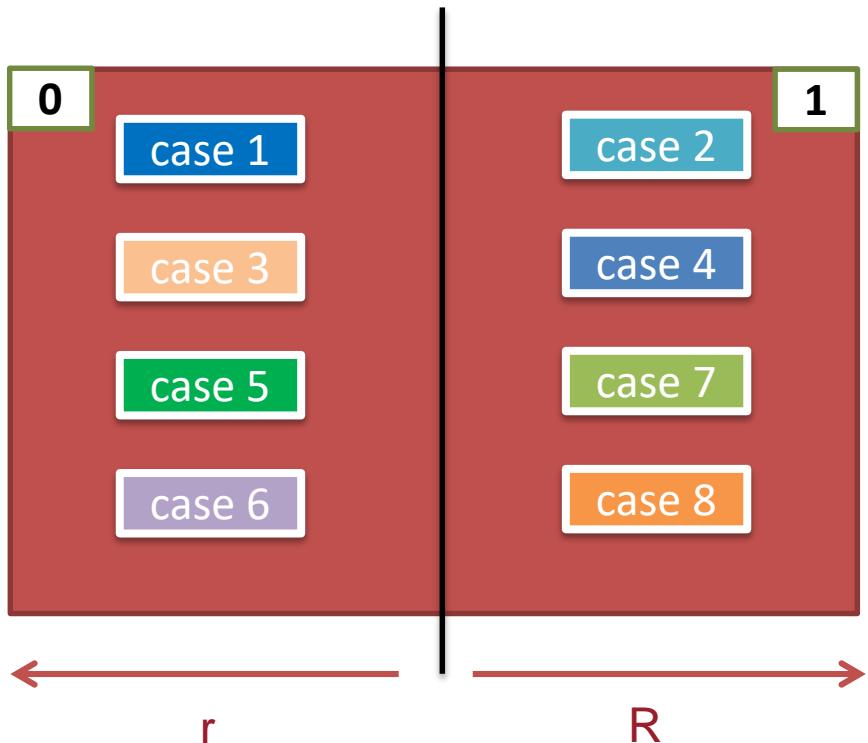
conditions	possibilities	
R	RIGHT (1)	not-right (0)
B	BELOW (1)	not-below (0)
I	INSIDE (1)	not-inside (0)

$$R * B \rightarrow O$$



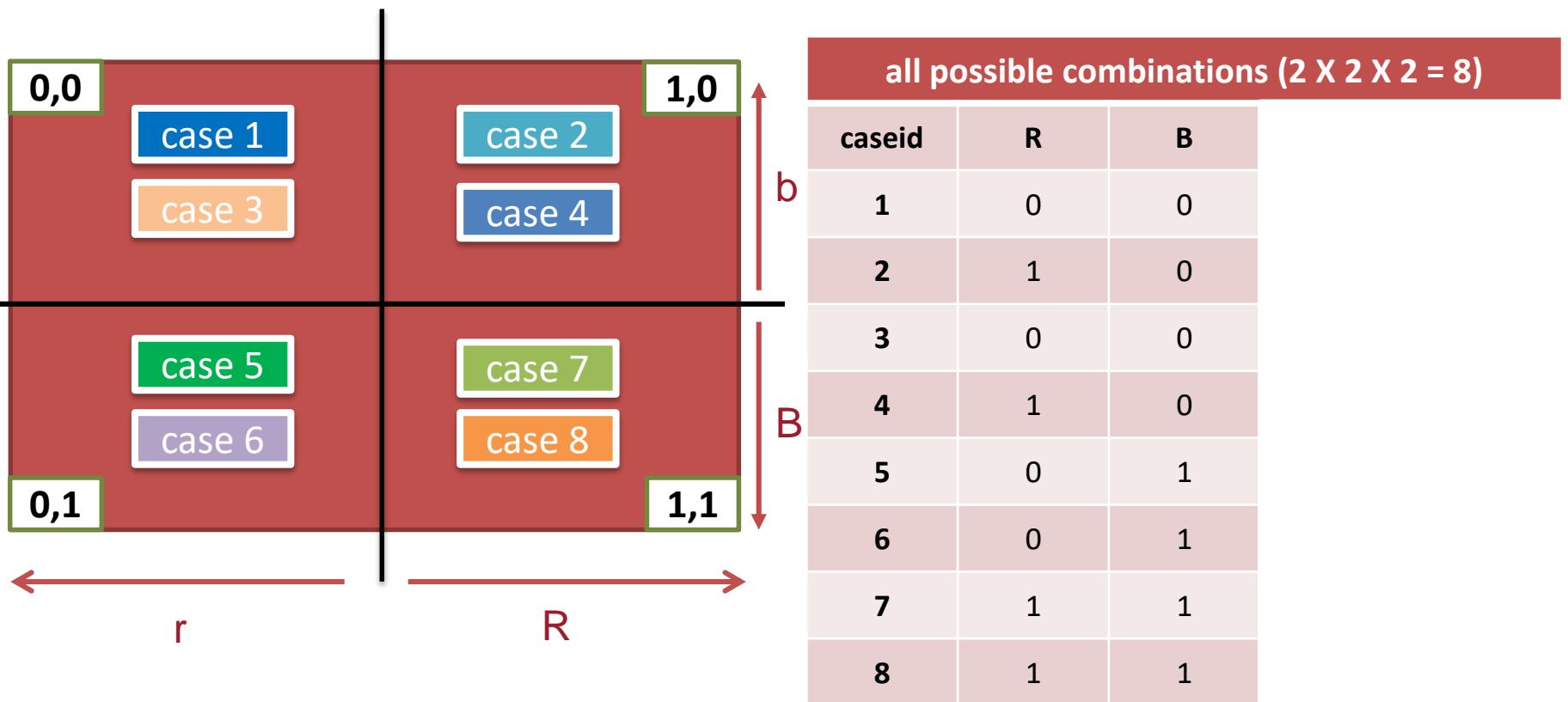
all possible combinations ($2 \times 2 \times 2 = 8$)				
caseid	R	B	I	O
1	0	0	0	0
2	1	0	0	0
3	0	0	1	0
4	1	0	1	0
5	0	1	1	0
6	0	1	0	0
7	1	1	1	1
8	1	1	0	1

1.4 Veen diagram: visualisation of Boolean minimisation

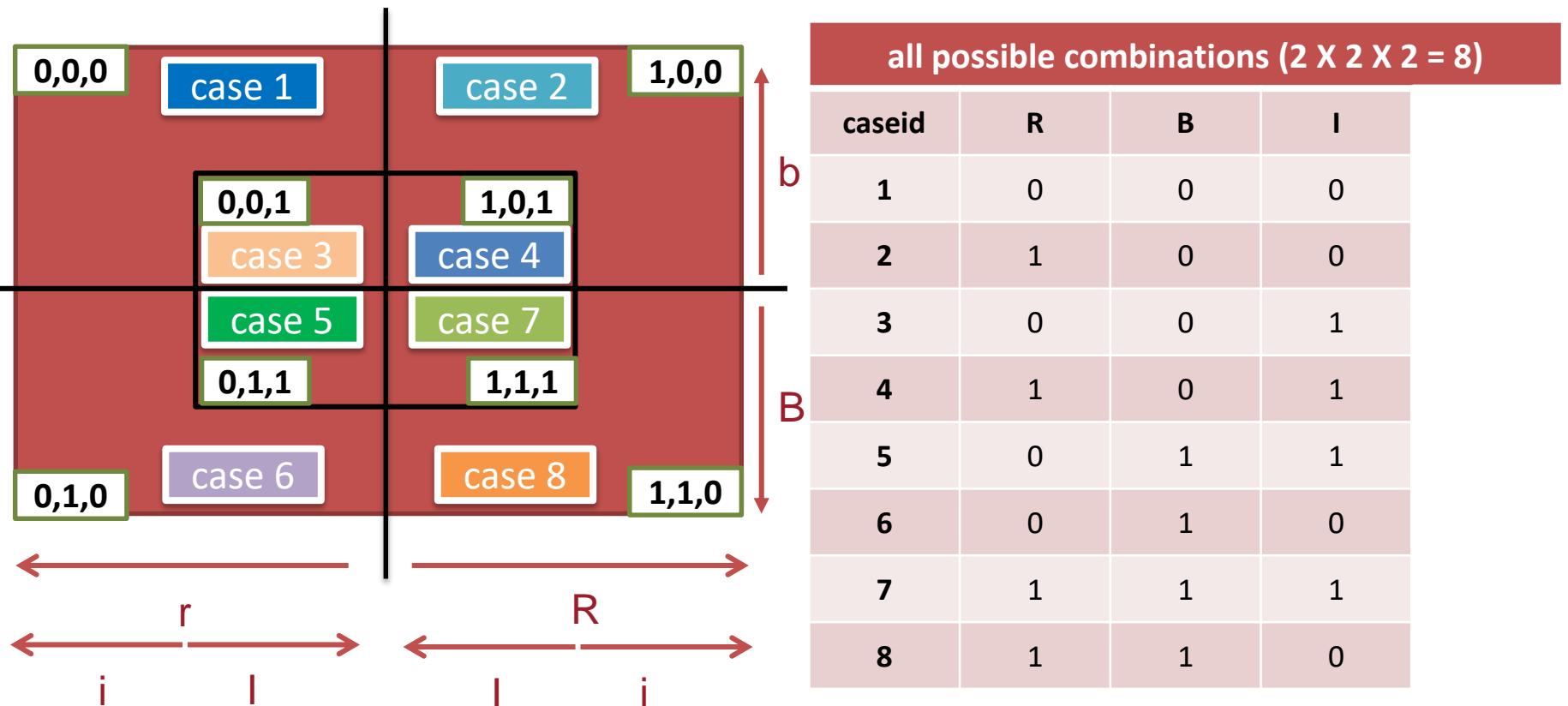


all possible combinations ($2 \times 2 \times 2 = 8$)	
caseid	R
1	0
2	1
3	0
4	1
5	0
6	0
7	1
8	1

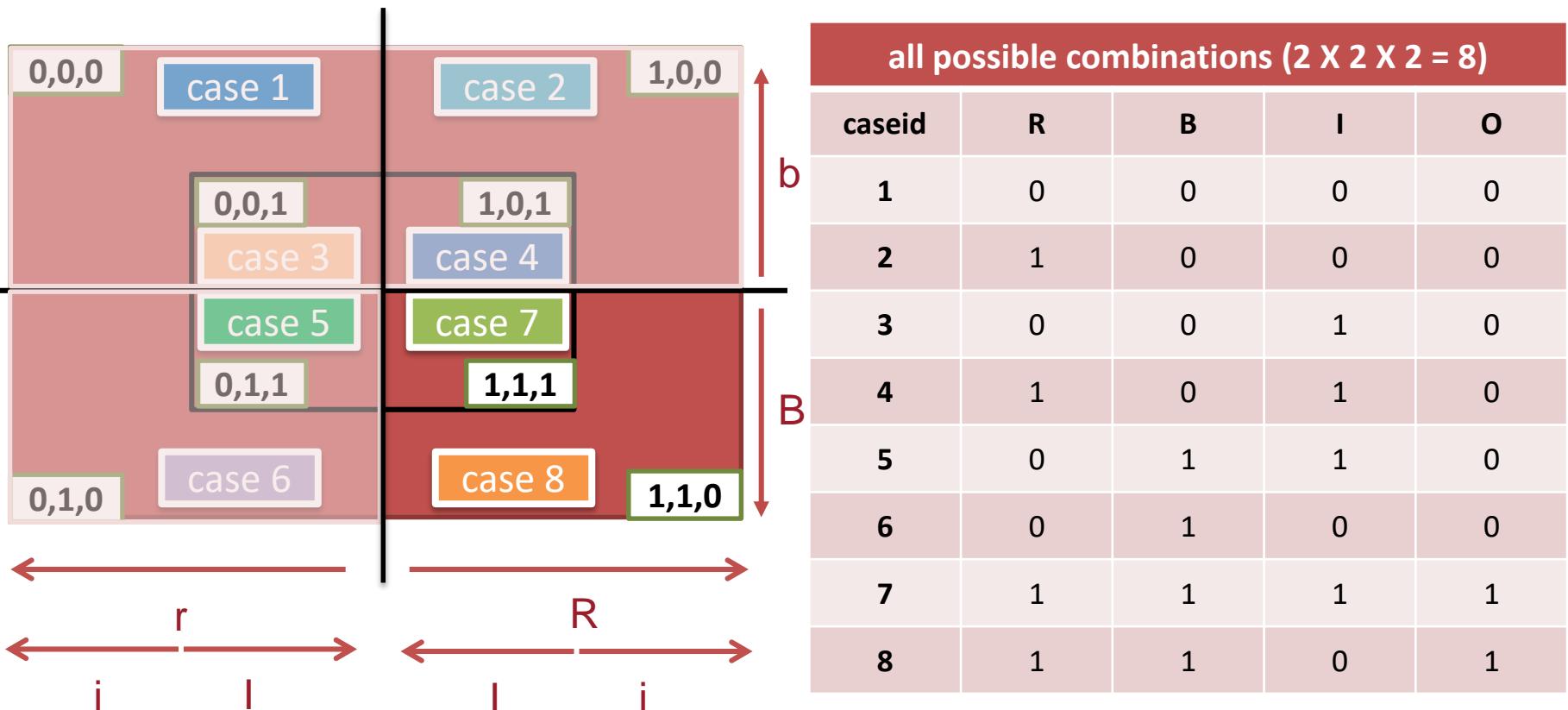
1.4 Veen diagram: visualisation of Boolean minimisation



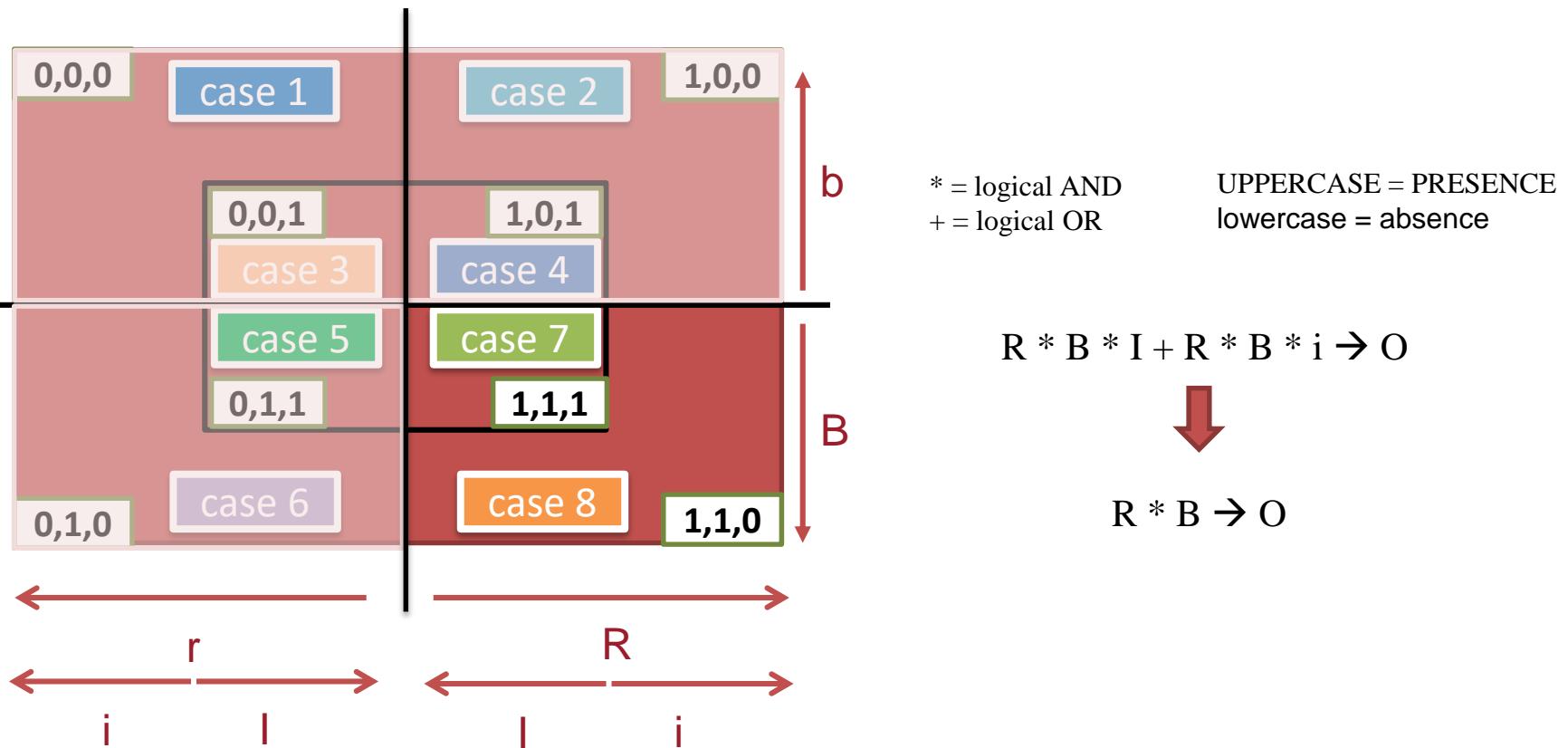
1.4 Veen diagram: visualisation of Boolean minimisation



1.4 Veen diagram: visualisation of Boolean minimisation



1.4 Veen diagram: visualisation of Boolean minimisation



I. What is QCA

- 1.1 Boolean algebra
- 1.2 Boolean minimisation
- 1.3 Necessary vs. sufficient conditions (I)
- 1.4 Veen diagram

II. Crisp-set QCA

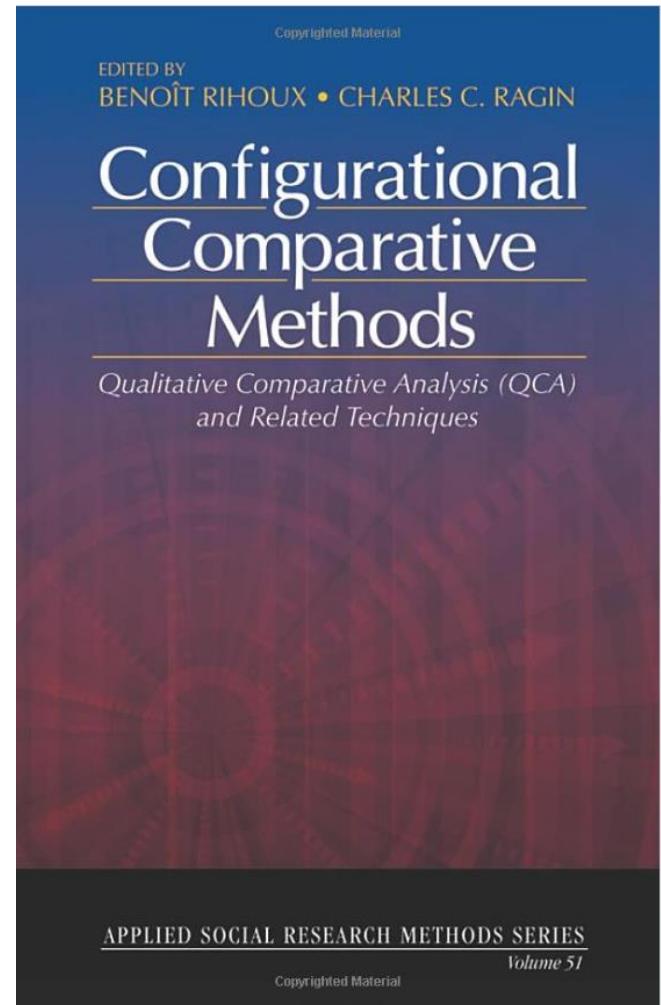
- 2.1 The truth table
- 2.2 Types of configurations
- 2.3 Resolve contradictory configurations

III. Fuzzy-set QCA

- 3.1 Calibration of fuzzy-set
- 3.2 Logical AND & OR
- 3.3 Necessary vs. sufficient conditions (II)

II. Crisp-set QCA

Why is it that some democratic systems in Europe survived during the inter-war period, while others collapsed?



Why is it that some democratic systems in Europe survived during the inter-war period, while others collapsed?

GNPCAP

Gross National Product/Capita
(ca. 1930)

URBANIZA

Urbanisation (% population in towns with 20,000 + inhabitants)

LITERACY

% Literacy

INDLAB

% Industrial Labour Force

CASE	GNPCAP	URBANIZA	LITERACY	INDLAB	SURVIVAL
AUS: Austria	720	33.4	98	33.4	0.05
BEL: Belgium	1098	60.5	94.4	48.9	0.95
CZE: Czechoslovakia	568	69.0	95.9	37.4	0.89
EST: Estonia	468	28.5	95	14.0	0.12
FIN: Finland	590	22.0	99.1	22.0	0.77
FRA: France	983	21.2	96.2	34.8	0.95
GER: Germany	795	56.5	98.0	40.4	0.05
GRE: Greece	390	31.1	59.2	28.1	0.06
HUN: Hungary	424	36.3	85.0	21.6	0.42
IRE: Ireland	662	25.0	95.0	14.5	0.92
ITA: Italy	517	31.4	72.1	29.6	0.05
NET: Netherlands	1008	78.8	99.9	39.3	0.95
POL: Poland	350	37.0	76.9	11.2	0.12
POR: Portugal	320	15.3	38.0	23.1	0.05
ROM: Romania	331	21.9	61.8	12.2	0.21
SPA: Spain	367	43.0	55.6	25.2	0.06
SWE: Sweden	897	34.0	99.9	32.3	0.95
UK: United Kingdom	1038	74.0	99.9	49.9	0.95

CASE	GNPCAP: 600	URBANIZA: 50	LITERACY: 75	INDLAB: 30	SURVIVAL: 0.5
AUS: Austria	720	33.4	98	33.4	0.05
BEL: Belgium	1098	60.5	94.4	48.9	0.95
CZE: Czechoslovakia	568	69.0	95.9	37.4	0.89
EST: Estonia	468	28.5	95	14.0	0.12
FIN: Finland	590	22.0	99.1	22.0	0.77
FRA: France	983	21.2	96.2	34.8	0.95
GER: Germany	795	56.5	98.0	40.4	0.05
GRE: Greece	390	31.1	59.2	28.1	0.06
HUN: Hungary	424	36.3	85.0	21.6	0.42
IRE: Ireland	662	25.0	95.0	14.5	0.92
ITA: Italy	517	31.4	72.1	29.6	0.05
NET: Netherlands	1008	78.8	99.9	39.3	0.95
POL: Poland	350	37.0	76.9	11.2	0.12
POR: Portugal	320	15.3	38.0	23.1	0.05
ROM: Romania	331	21.9	61.8	12.2	0.21
SPA: Spain	367	43.0	55.6	25.2	0.06
SWE: Sweden	897	34.0	99.9	32.3	0.95
UK: United Kingdom	1038	74.0	99.9	49.9	0.95

CASE	GNPCAP: 600	URBANIZA: 50	LITERACY: 75	INDLAB: 30	SURVIVAL: 0.5
AUS: Austria	1	0	1	1	0
BEL: Belgium	1	1	1	1	1
CZE: Czechoslovakia	0	1	1	1	1
EST: Estonia	0	0	1	0	0
FIN: Finland	0	0	1	0	1
FRA: France	1	0	1	1	1
GER: Germany	1	1	1	1	0
GRE: Greece	0	0	0	0	0
HUN: Hungary	0	0	1	0	0
IRE: Ireland	1	0	1	0	1
ITA: Italy	0	0	0	0	0
NET: Netherlands	1	1	1	1	1
POL: Poland	0	0	1	0	0
POR: Portugal	0	0	0	0	0
ROM: Romania	0	0	0	0	0
SPA: Spain	0	0	0	0	0
SWE: Sweden	1	0	1	1	1
UK: United Kingdom	1	1	1	1	1

CASE	GNPCAP: 600	URBANIZA: 50	LITERACY: 75	INDLAB: 30	SURVIVAL: 0.5
AUS: Austria	1	0	1	1	0
BEL: Belgium	1	1	1	1	1
CZE: Czechoslovakia	0	1	1	1	1
EST: Estonia	0	0	1	0	0
FIN: Finland	0	0	1	0	1
FRA: France	1	0	1	1	1
GER: German	1	1	1	1	0
GRE: Greece	0	0	0	0	0
HUN: Hungary	0	0	1	0	0
IRE: Ireland	1	0	1	0	1
ITA: Italy	0	0	0	0	0
NET: Netherlands	1	1	1	1	1
POL: Poland	0	0	1	0	0
POR: Portugal	0	0	0	0	0
ROM: Romania	0	0	0	0	0
SPA: Spain	0	0	0	0	0
SWE: Sweden	1	0	1	1	1
UK: United Kingdom	1	1	1	1	1

I. What is QCA

- 1.1 Boolean algebra
- 1.2 Boolean minimisation
- 1.3 Necessary vs. sufficient conditions (I)
- 1.4 Veen diagram

II. Crisp-set QCA

- 2.1 The truth table**
- 2.2 Types of configurations
- 2.3 Resolve contradictory configurations

III. Fuzzy-set QCA

- 3.1 Calibration of fuzzy-set
- 3.2 Logical AND & OR
- 3.3 Necessary vs. sufficient conditions (II)

2.1 The truth table

CASE	GNPCAP	URBANIZA	LITERACY	INDLAB
SWE: Sweden; FRA: France; AUS: Austria	1	0	1	1
FIN: Finland; HUN: Hungary; POL: Poland; EST: Estonia	0	0	1	0
BEL: Belgium; NET: Netherlands; UK: United Kingdom; GER: Germany	1	1	1	1
CZE: Czechoslovakia	0	1	1	1
ITA: Italy; ROM: Romania; POR: Portugal; SPA: Spain; GRE: Greece	0	0	0	0
IRE: Ireland	1	0	1	0

I. What is QCA

- 1.1 Boolean algebra
- 1.2 Boolean minimisation
- 1.3 Necessary vs. sufficient conditions (I)
- 1.4 Veen diagram

II. Crisp-set QCA

- 2.1 The truth table
- 2.2 Types of configurations
- 2.3 Resolve contradictory configurations

III. Fuzzy-set QCA

- 3.1 Calibration of fuzzy-set
- 3.2 Logical AND & OR
- 3.3 Necessary vs. sufficient conditions (II)

2.2 Types of configurations

CASE	GNPCAP	URBANIZA	LITERACY	INDLAB	TYPE
SWE: Sweden; FRA: France; AUS: Austria	1	0	1	1	C
FIN: Finland; HUN: Hungary; POL: Poland; EST: Estonia	0	0	1	0	C
BEL: Belgium; NET: Netherlands; UK: United Kingdom; GER: Germany	1	1	1	1	C
CZE: Czechoslovakia	0	1	1	1	1
ITA: Italy; ROM: Romania; POR: Portugal; SPA: Spain; GRE: Greece	0	0	0	0	0
IRE: Ireland	1	0	1	0	1

1
configuration

presence of
an outcome

0
configuration

absence of
an outcome

C
configuration

both presence and absence
of an outcome

I. What is QCA

- 1.1 Boolean algebra
- 1.2 Boolean minimisation
- 1.3 Necessary vs. sufficient conditions (I)
- 1.4 Veen diagram

II. Crisp-set QCA

- 2.1 The truth table
- 2.2 Types of configurations
- 2.3 Resolve contradictory configurations**

III. Fuzzy-set QCA

- 3.1 Calibration of fuzzy-set
- 3.2 Logical AND & OR
- 3.3 Necessary vs. sufficient conditions (II)**

2.3 Resolve contradictory configurations

- A. Add one or more conditions
- B. Remove one or more conditions
- C. Adjust the threshold of dichotomisation
- D. Re-examine the outcome
- E. Re-examine the cases involved
- F. Re-code all contradictory configurations as [0] outcome
- G. Re-code all contradictory configurations as [1] outcome if it fits the majority of cases

Several iterations may be needed to obtain a contradiction-free truth table!

2.2 Types of configurations

CASE	GNPCAP	URBANIZA	LITERACY	INDLAB	TYPE
SWE: Sweden; FRA: France; AUS: Austria	1	0	1	1	C
FIN: Finland; HUN: Hungary; POL: Poland; EST: Estonia	0	0	1	0	C
BEL: Belgium; NET: Netherlands; UK: United Kingdom; GER: Germany	1	1	1	1	C → 1
CZE: Czechoslovakia	0	1	1	1	1
ITA: Italy; ROM: Romania; POR: Portugal; SPA: Spain; GRE: Greece	0	0	0	0	0
IRE: Ireland	1	0	1	0	1

1
configuration

presence of
an outcome

0
configuration

absence of
an outcome

C
configuration

both presence and absence
of an outcome

2.3 Resolve contradictory configurations

- A. Add one or more conditions
- B. Remove one or more conditions
- C. Adjust the threshold of dichotomisation
- D. Re-examine the outcome
- E. Re-examine the cases involved
- F. Re-code all contradictory configurations as [0] outcome
- G. Re-code all contradictory configurations as [1] outcome if it fits the majority of cases

Several iterations may be needed to obtain a contradiction-free truth table!

Why is it that some democratic systems in Europe survived during the inter-war period, while others collapsed?

GNPCAP

Gross National Product/Capita
(ca. 1930)

URBANIZA

Urbanization (% population in towns with 20,000 + inhabitants)

LITERACY

% Literacy

INDLAB

% Industrial Labour Force

Why is it that some democratic systems in Europe survived during the inter-war period, while others collapsed?

GNPCAP

Gross National Product/Capita
(ca. 1930)

URBANIZA

Urbanization (% population in towns with 20,000 + inhabitants)

LITERACY

% Literacy

INDLAB

% Industrial Labour Force

GOVSTAB

Governmental stability: 10+ cabinets having governed during the period under investigation

CASE	GNPCAP: 600	URBANIZA: 50	LITERACY: 75	INDLAB: 30	GOVSTAB: 10	SURVIVAL: 0.5
AUS: Austria	720	33.4	98	33.4	10	0.05
BEL: Belgium	1098	60.5	94.4	48.9	4	0.95
CZE: Czechoslovakia	568	69.0	95.9	37.4	6	0.89
EST: Estonia	468	28.5	95	14.0	6	0.12
FIN: Finland	590	22.0	99.1	22.0	9	0.77
FRA: France	983	21.2	96.2	34.8	5	0.95
GER: Germany	795	56.5	98.0	40.4	11	0.05
GRE: Greece	390	31.1	59.2	28.1	10	0.06
HUN: Hungary	424	36.3	85.0	21.6	13	0.42
IRE: Ireland	662	25.0	95.0	14.5	5	0.92
ITA: Italy	517	31.4	72.1	29.6	9	0.05
NET: Netherlands	1008	78.8	99.9	39.3	2	0.95
POL: Poland	350	37.0	76.9	11.2	21	0.12
POR: Portugal	320	15.3	38.0	23.1	19	0.05
ROM: Romania	331	21.9	61.8	12.2	7	0.21
SPA: Spain	367	43.0	55.6	25.2	12	0.06
SWE: Sweden	897	34.0	99.9	32.3	6	0.95
UK: United Kingdom	1038	74.0	99.9	49.9	4	0.95

CASE	GNPCAP: 600	URBANIZA: 50	LITERACY: 75	INDLAB: 30	GOVSTAB: 10	SURVIVAL: 0.5
AUS: Austria	1	0	1	1	0	0
BEL: Belgium	1	1	1	1	1	1
CZE: Czechoslovakia	0	1	1	1	1	1
EST: Estonia	0	0	1	0	1	0
FIN: Finland	0	0	1	0	1	1
FRA: France	1	0	1	1	1	1
GER: Germany	1	1	1	1	0	0
GRE: Greece	0	0	0	0	0	0
HUN: Hungary	0	0	1	0	0	0
IRE: Ireland	1	0	1	0	1	1
ITA: Italy	0	0	0	0	1	0
NET: Netherlands	1	1	1	1	1	1
POL: Poland	0	0	1	0	0	0
POR: Portugal	0	0	0	0	0	0
ROM: Romania	0	0	0	0	1	0
SPA: Spain	0	0	0	0	0	0
SWE: Sweden	1	0	1	1	1	1
UK: United Kingdom	1	1	1	1	1	1

CASE	GNPC AP	URBA NIZA	LITER ACY	INDL AB	TYPE
SWE: Sweden; FRA: France; AUS: Austria	1	0	1	1	C
FIN: Finland; HUN: Hungary; POL: Poland; EST: Estonia	0	0	1	0	C
BEL: Belgium; NET: Netherlands; UK: United Kingdom; GER: Germany	1	1	1	1	C
CZE: Czechoslovakia	0	1	1	1	1
ITA: Italy; ROM: Romania; POR: Portugal; SPA: Spain; GRE: Greece	0	0	0	0	0
IRE: Ireland	1	0	1	0	1

CASE	GNPC AP	URBA NIZA	LITER ACY	INDLA B	GOVS TAB	TYPE
AUS: Austria	1	0	1	1	0	0
BEL: Belgium; NET: Netherlands; UK: United Kingdom	1	1	1	1	1	1
CZE: Czechoslovakia	0	1	1	1	1	1
EST: Estonia; FIN: Finland	0	0	1	0	1	C
SWE: Sweden; FRA: France;	1	0	1	1	1	1
GER: Germany	1	1	1	1	0	0
POR: Portugal; SPA: Spain; GRE: Greece	0	0	0	0	0	0
HUN: Hungary; POL: Poland	0	0	1	0	0	0
IRE: Ireland	1	0	1	0	1	1
ITA: Italy; ROM: Romania	0	0	0	0	1	0

1 configuration

presence of an outcome

0 configuration

absence of an outcome

C configuration

both presence and absence of an outcome

2.3 Resolve contradictory configurations

- A. Add one or more conditions
- B. Remove one or more conditions
- C. Adjust the threshold of dichotomisation
- D. Re-examine the outcome
- E. Re-examine the cases involved
- F. Re-code all contradictory configurations as [0] outcome
- G. Re-code all contradictory configurations as [1] outcome if it fits the majority of cases

Several iterations may be needed to obtain a contradiction-free truth table!

CASE	GNPCAP: 550	URBANIZA: 50	LITERACY: 75	INDLAB: 30	GOVSTAB: 10	SURVIVAL: 0.5
AUS: Austria	720	33.4	98	33.4	10	0.05
BEL: Belgium	1098	60.5	94.4	48.9	4	0.95
CZE: Czechoslovakia	568	69.0	95.9	37.4	6	0.89
EST: Estonia	468	28.5	95	14.0	6	0.12
FIN: Finland	590	22.0	99.1	22.0	9	0.77
FRA: France	983	21.2	96.2	34.8	5	0.95
GER: Germany	795	56.5	98.0	40.4	11	0.05
GRE: Greece	390	31.1	59.2	28.1	10	0.06
HUN: Hungary	424	36.3	85.0	21.6	13	0.42
IRE: Ireland	662	25.0	95.0	14.5	5	0.92
ITA: Italy	517	31.4	72.1	29.6	9	0.05
NET: Netherlands	1008	78.8	99.9	39.3	2	0.95
POL: Poland	350	37.0	76.9	11.2	21	0.12
POR: Portugal	320	15.3	38.0	23.1	19	0.05
ROM: Romania	331	21.9	61.8	12.2	7	0.21
SPA: Spain	367	43.0	55.6	25.2	12	0.06
SWE: Sweden	897	34.0	99.9	32.3	6	0.95
UK: United Kingdom	1038	74.0	99.9	49.9	4	0.95

CASE	GNPCAP: 550	URBANIZA: 50	LITERACY: 75	INDLAB: 30	GOVSTAB: 10	SURVIVAL
AUS: Austria	1	0	1	1	0	0
BEL: Belgium	1	1	1	1	1	1
CZE: Czechoslovakia	1	1	1	1	1	1
EST: Estonia	0	0	1	0	1	0
FIN: Finland	1	0	1	0	1	1
FRA: France	1	0	1	1	1	1
GER: Germany	1	1	1	1	0	0
GRE: Greece	0	0	0	0	0	0
HUN: Hungary	0	0	1	0	0	0
IRE: Ireland	1	0	1	0	1	1
ITA: Italy	0	0	0	0	1	0
NET: Netherlands	1	1	1	1	1	1
POL: Poland	0	0	1	0	0	0
POR: Portugal	0	0	0	0	0	0
ROM: Romania	0	0	0	0	1	0
SPA: Spain	0	0	0	0	0	0
SWE: Sweden	1	0	1	1	1	1
UK: United Kingdom	1	1	1	1	1	1

CASE	GNPC AP	URBA NIZA	LITER ACY	INDL AB	GOVS TAB	TYPE
AUS: Austria	1	0	1	1	0	0
BEL: Belgium; NET: Netherlands; UK: United Kingdom	1	1	1	1	1	1
CZE: Czechoslovakia	0	1	1	1	1	1
EST: Estonia; FIN: Finland	0	0	1	0	1	C
SWE: Sweden; FRA: France;	1	0	1	1	1	1
GER: Germany	1	1	1	1	0	0
POR: Portugal; SPA: Spain; GRE: Greece	0	0	0	0	0	0
HUN: Hungary; POL: Poland	0	0	1	0	0	0
IRE: Ireland	1	0	1	0	1	1
ITA: Italy; ROM: Romania	0	0	0	0	1	0

CASE	GNPC AP	URBA NIZA	LITER ACY	INDL AB	GOVS TAB	TYPE
AUS: Austria	1	0	1	1	0	0
BEL: Belgium; CZE: Czechoslovakia NET: Netherlands; UK: United Kingdom	1	1	1	1	1	1
EST: Estonia	0	0	1	0	1	0
SWE: Sweden; FRA: France;	1	0	1	1	1	1
GER: Germany	1	1	1	1	0	0
POR: Portugal; SPA: Spain; GRE: Greece	0	0	0	0	0	0
HUN: Hungary; POL: Poland	0	0	1	0	0	0
IRE: Ireland; FIN: Finland	1	0	1	0	1	1
ITA: Italy; ROM: Romania	0	0	0	0	1	0

1 configuration

presence of an outcome

0 configuration

absence of an outcome

C configuration

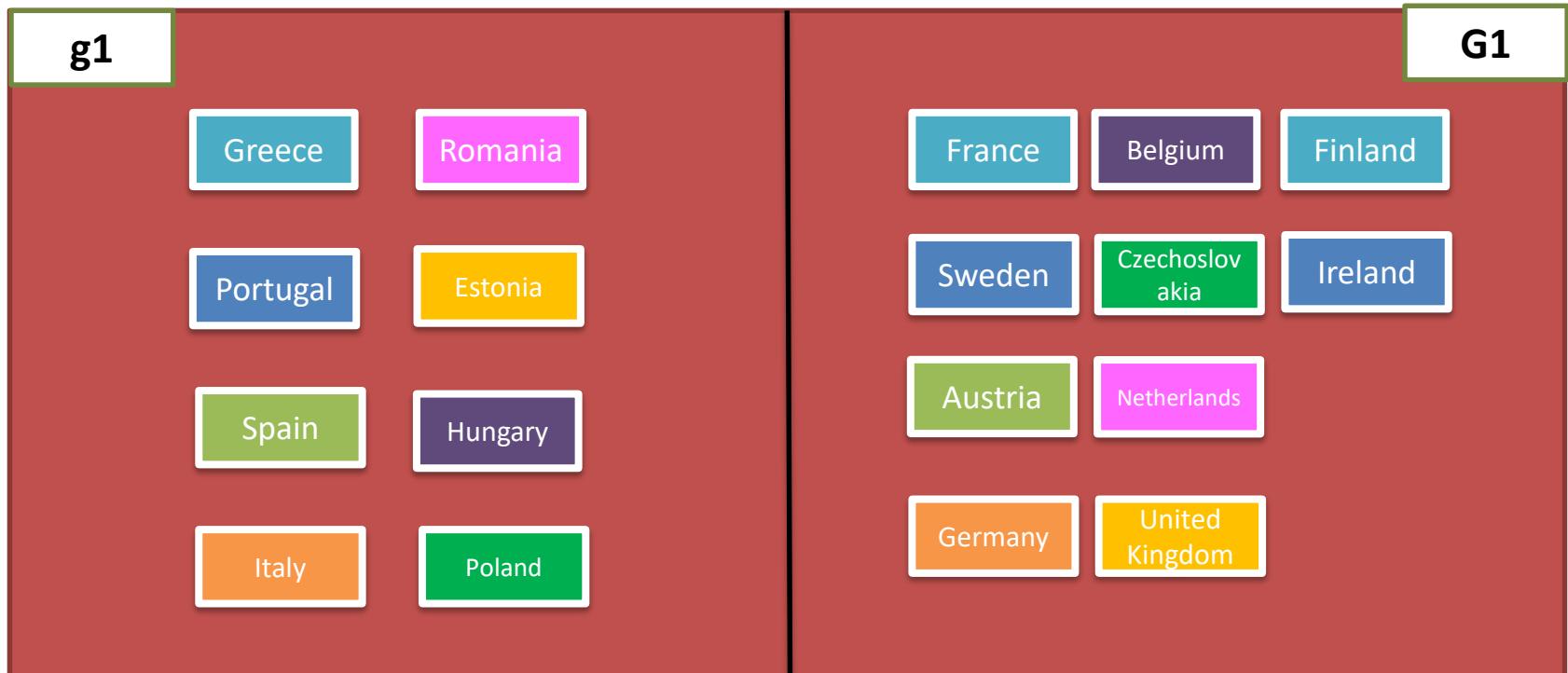
both presence and absence of an outcome

2.3 Resolve contradictory configurations

- A. Add one or more conditions
- B. Remove one or more conditions
- C. Adjust the threshold of dichotomisation
- D. Re-examine the outcome
- E. Re-examine the cases involved
- F. Re-code all contradictory configurations as [0] outcome
- G. Re-code all contradictory configurations as [1] outcome if it fits the majority of cases

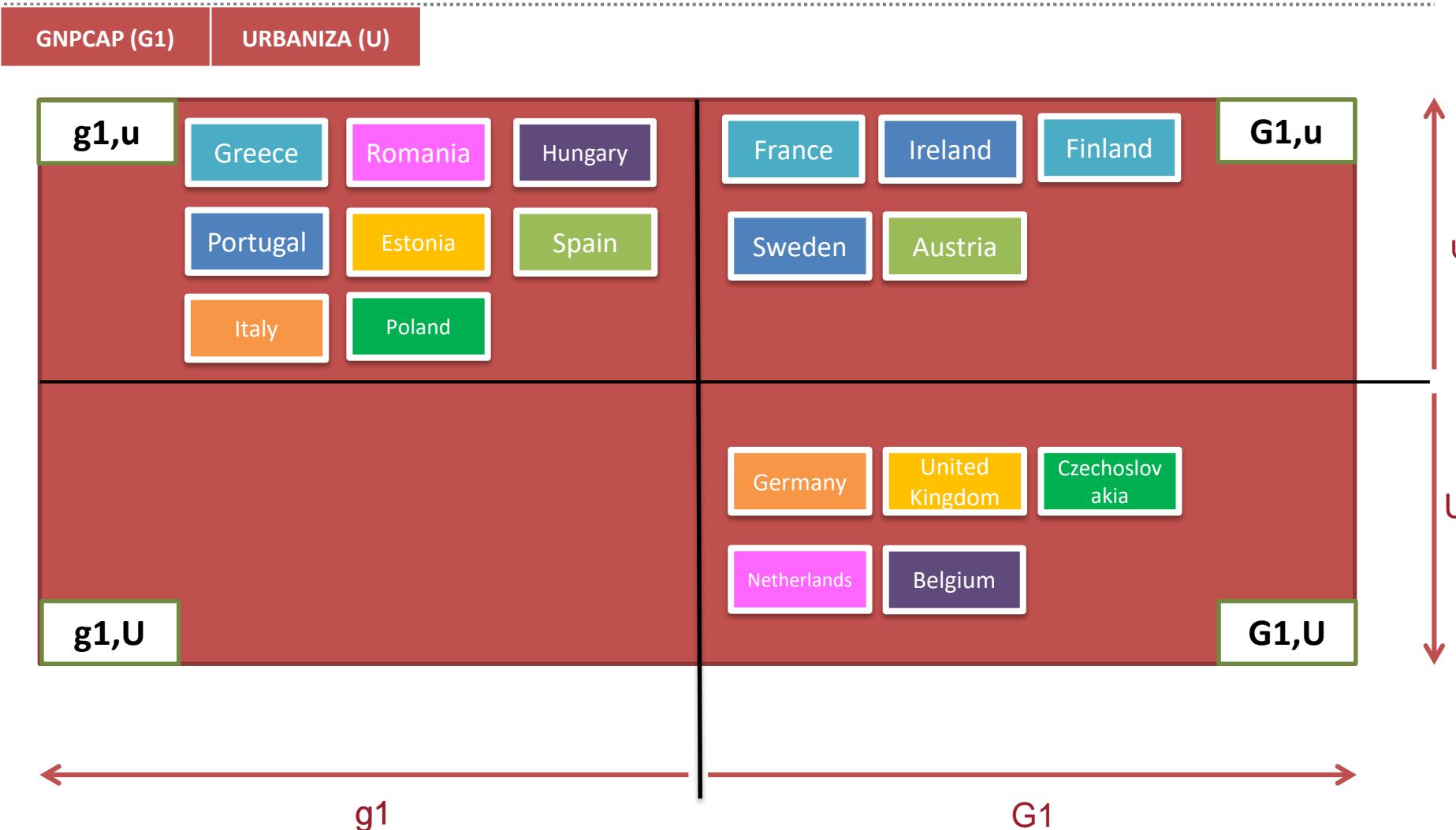
Several iterations may be needed to obtain a contradiction-free truth table!

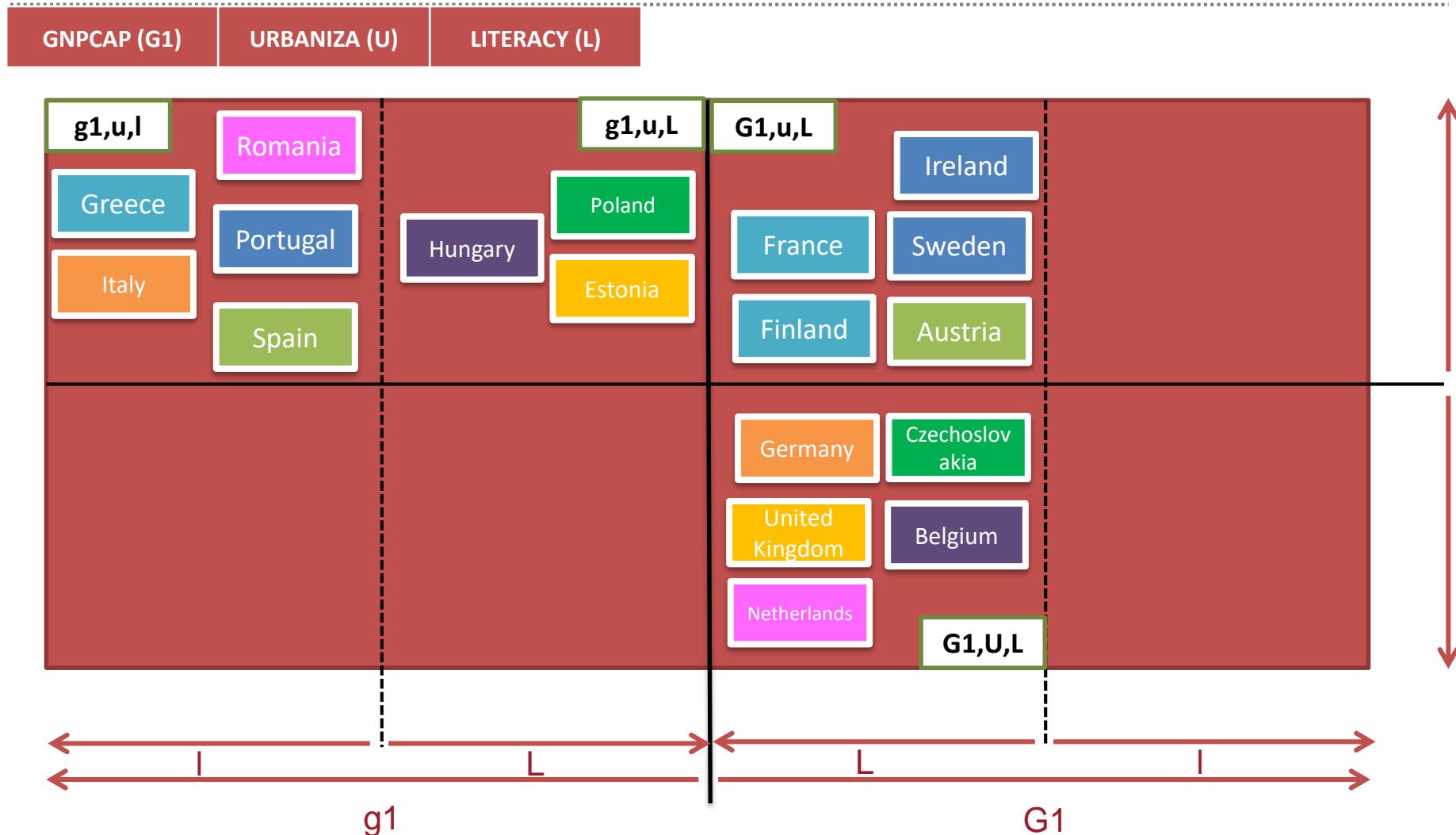
GNPCAP (G1)



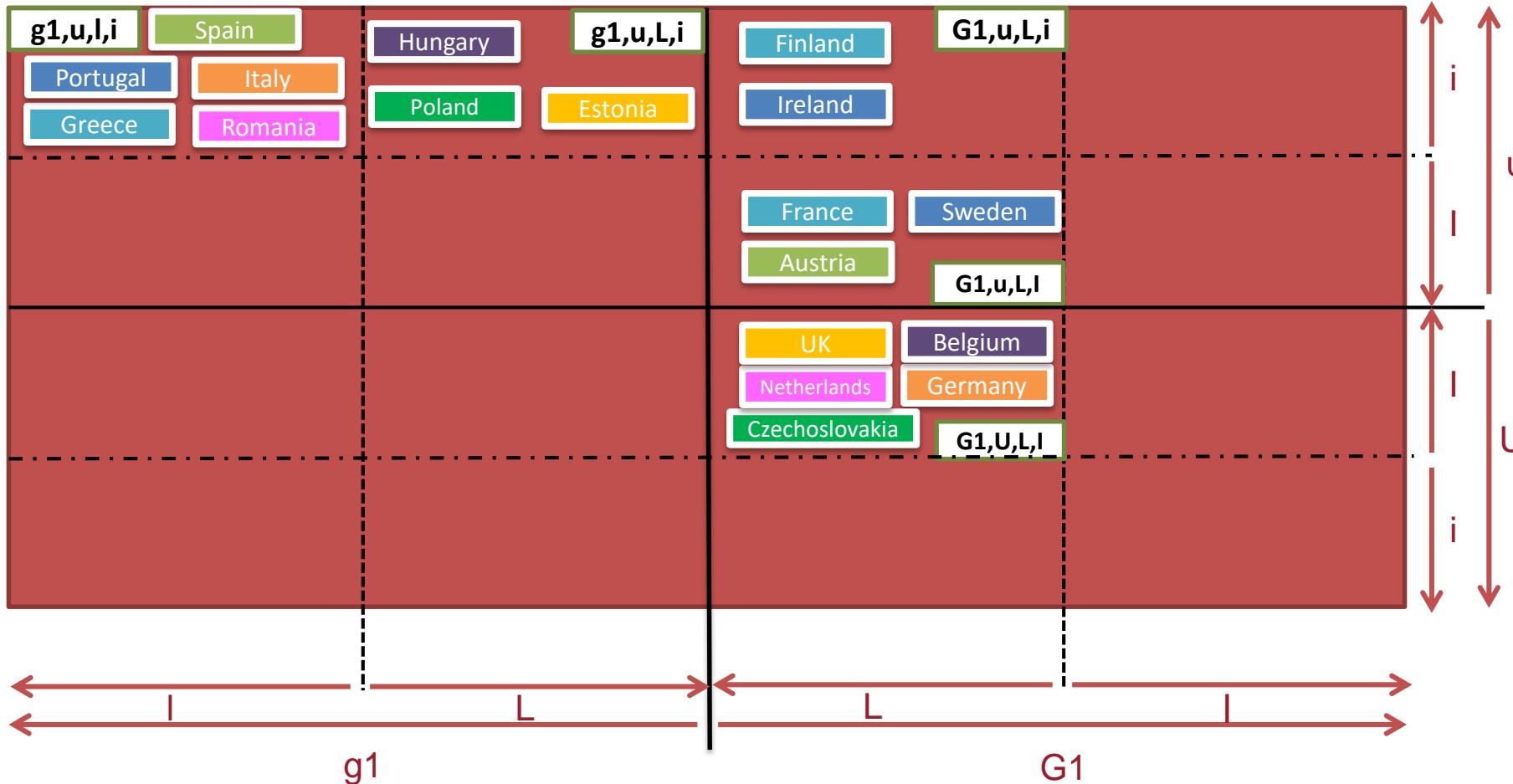
g1

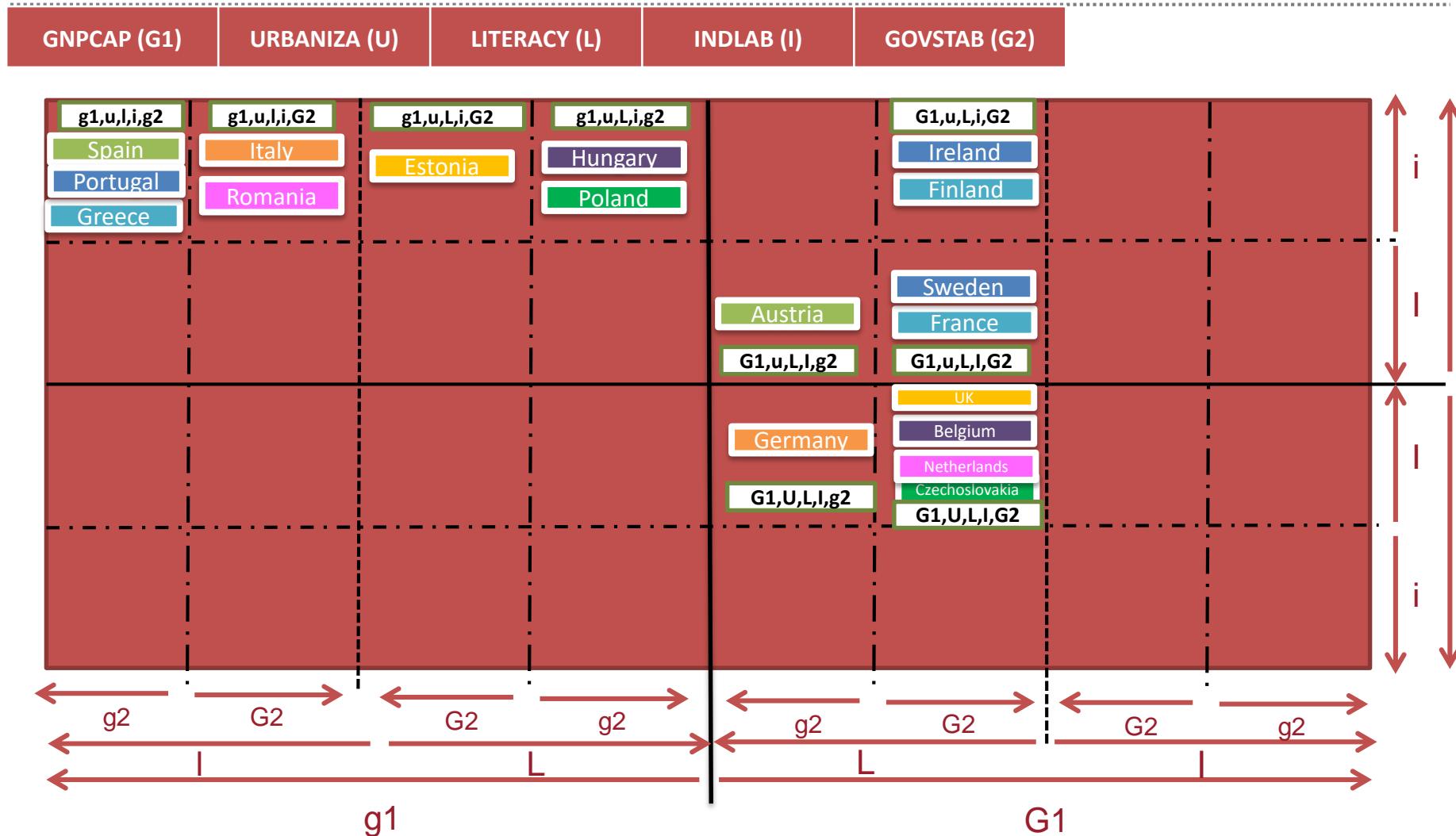
G1





GNPCAP (G1)	URBANIZA (U)	LITERACY (L)	INDLAB (I)
-------------	--------------	--------------	------------





GNPCAP (G1)

URBANIZA (U)

LITERACY (L)

INDLAB (I)

GOVSTAB (G2)

SURVIVED [1]**G1,u,L,i,G2**

Ireland

Finland

Sweden

France

G1,u,L,I,G2

UK

Belgium

Netherlands

Czechoslovakia

G1,U,L,I,G2

GNPCAP (G1)

URBANIZA (U)

LITERACY (L)

INDLAB (I)

GOVSTAB (G2)

GNPCAP * urbaniza * LITERACY *
GOVSTAB
→ SURVIVAL

SURVIVED [1]



G1,u,L,i,G2

Ireland

Finland

Sweden

France

G1,u,L,I,G2

UK

Belgium

Netherlands

Czechoslovakia

G1,U,L,I,G2

GNPCAP (G1)

URBANIZA (U)

LITERACY (L)

INDLAB (I)

GOVSTAB (G2)

GNPCAP * urbaniza * LITERACY *
GOVSTAB
→ SURVIVAL

SURVIVED [1]

GNPCAP * URBANIZA * LITERACY *
INDLAB * GOVSTAB
→ SURVIVAL

G1,u,L,i,G2

Ireland

Finland

Sweden

France

G1,u,L,I,G2

UK

Belgium

Netherlands

Czechoslovakia

G1,U,L,I,G2

**Do not expect to find
perfect causal
symmetry!**

GNPCAP (G1)

URBANIZA (U)

LITERACY (L)

INDLAB (I)

GOVSTAB (G2)

g1,u,l,i,g2

g1,u,l,i,G2

g1,u,L,i,g2

g1,u,L,i,G2

Spain

Italy

Hungary

Estonia

Portugal

Romania

Poland



G1,u,L,I,g2

Austria

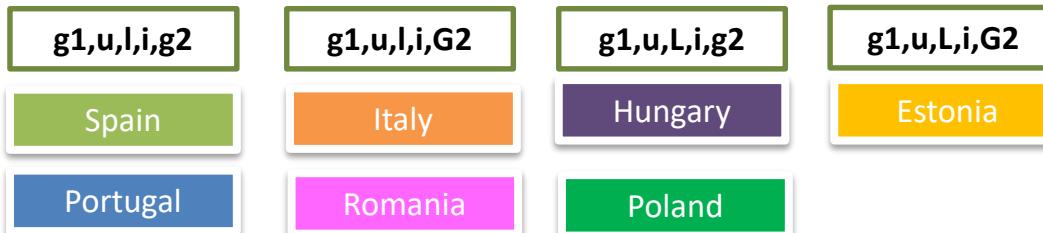
gnpcap * urbaniza * indlab
→ survival

Germany

G1,U,L,I,g2

breakdown [0]

GNPCAP (G1)	URBANIZA (U)	LITERACY (L)	INDLAB (I)	GOVSTAB (G2)
-------------	--------------	--------------	------------	--------------



gnpcap * urbaniza * indlab
→ survival

GNPCAP * LITERACY *
INDLAB * govstab
→ survival

breakdown [0]



I. What is QCA

- 1.1 Boolean algebra
- 1.2 Boolean minimisation
- 1.3 Necessary vs. sufficient conditions (I)
- 1.4 Veen diagram

II. Crisp-set QCA

- 2.1 The truth table
- 2.2 Types of configurations
- 2.3 Resolve contradictory configurations

III. Fuzzy-set QCA

- 3.1 Calibration of fuzzy-set
- 3.2 Logical AND & OR
- 3.3 Necessary vs. sufficient conditions (II)

III. Fuzzy-set QCA

**What if we have continuous variables and do
NOT want to dichotomise?**

CASE	GNPCAP	URBANIZA	LITERACY	INDLAB	GOVSTAB	SURVIVAL
AUS: Austria	720	33.4	98	33.4	10	0.05
BEL: Belgium	1098	60.5	94.4	48.9	4	0.95
CZE: Czechoslovakia	568	69.0	95.9	37.4	6	0.89
EST: Estonia	468	28.5	95	14.0	6	0.12
FIN: Finland	590	22.0	99.1	22.0	9	0.77
FRA: France	983	21.2	96.2	34.8	5	0.95
GER: Germany	795	56.5	98.0	40.4	11	0.05
GRE: Greece	390	31.1	59.2	28.1	10	0.06
HUN: Hungary	424	36.3	85.0	21.6	13	0.42
IRE: Ireland	662	25.0	95.0	14.5	5	0.92
ITA: Italy	517	31.4	72.1	29.6	9	0.05
NET: Netherlands	1008	78.8	99.9	39.3	2	0.95
POL: Poland	350	37.0	76.9	11.2	21	0.12
POR: Portugal	320	15.3	38.0	23.1	19	0.05
ROM: Romania	331	21.9	61.8	12.2	7	0.21
SPA: Spain	367	43.0	55.6	25.2	12	0.06
SWE: Sweden	897	34.0	99.9	32.3	6	0.95
UK: United Kingdom	1038	74.0	99.9	49.9	4	0.95

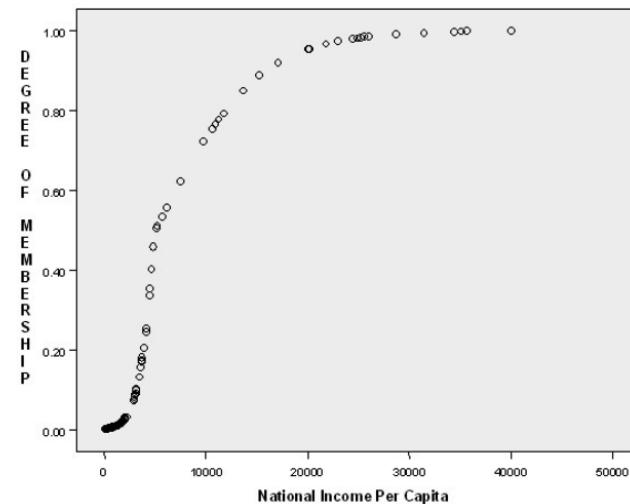
III. Fuzzy-set QCA

Country	Crisp set	Continuous fuzzy set
A	0	0.27
B	1	0.95
C	1	0.77
D	0	0.41
E	0	0.19
F	1	0.55

0 = non-membership
1 = full-membership

Partial membership in
a condition allowed!

Plot of Degree of Membership in the Set of Rich Countries



I. What is QCA

- 1.1 Boolean algebra
- 1.2 Boolean minimisation
- 1.3 Necessary vs. sufficient conditions (I)
- 1.4 Veen diagram

II. Crisp-set QCA

- 2.1 The truth table
- 2.2 Types of configurations
- 2.3 Resolve contradictory configurations

III. Fuzzy-set QCA

- 3.1 Calibration of fuzzy-set**
- 3.2 Logical AND & OR
- 3.3 Necessary vs. sufficient conditions (II)

Examples of fuzzy-set calibration

Crisp set	3-value fuzzy set	4-value fuzzy set	6-value fuzzy set	Continuous fuzzy set
$1 = \text{fully in}$ $0 = \text{fully out}$	$1 = \text{fully in}$ $0.5 = \text{neither fully in nor fully out}$ $0 = \text{fully out}$	$1 = \text{fully in}$ $0.67 = \text{more in than out}$ $0.33 = \text{more out than in}$ $0 = \text{fully out}$	$1 = \text{fully in}$ $0.9 = \text{mostly but not fully in}$ $0.6 = \text{more or less in}$ $0.4 = \text{more or less out}$ $0.1 = \text{mostly but not fully out}$ $0 = \text{fully out}$	$1 = \text{fully in } 0.5 < x < 1 = \text{more in than out}$ $0.5 = \text{neither in nor out}$ $0 < x < .05 = \text{fully out}$

Equal intervals are not necessary

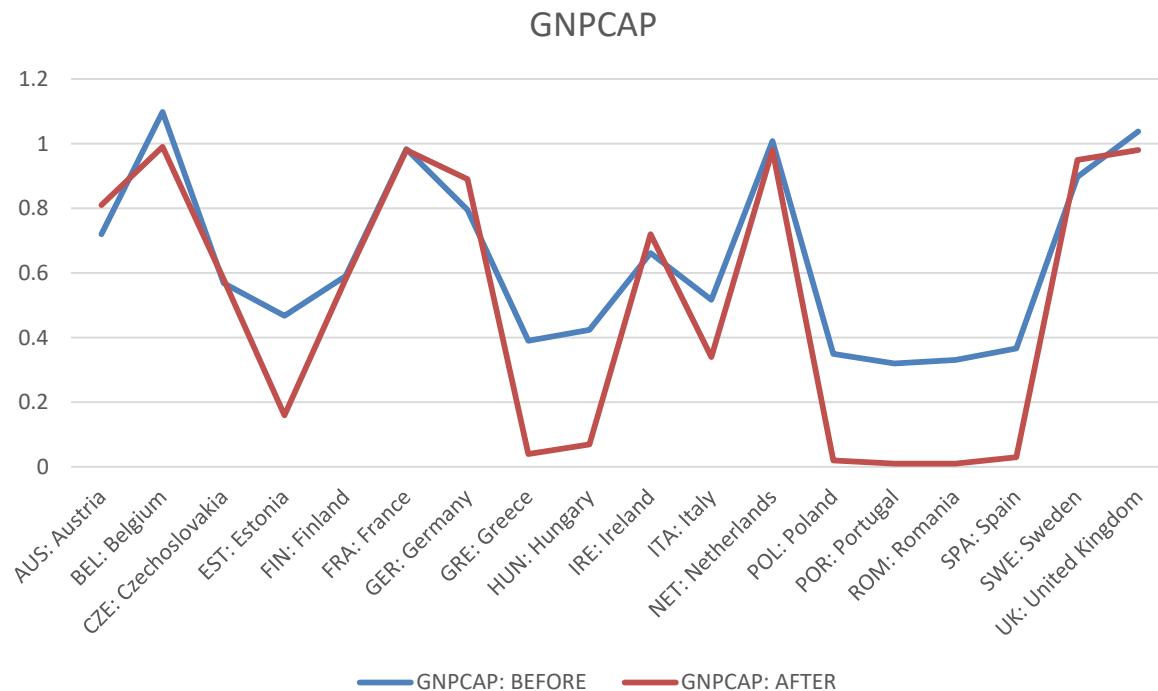
Value of 0.5 = max. ambiguity regarding whether a case is in or out a condition

CASE	GNPCAP: 550	URBANIZA: 50	LITERACY: 75	INDLAB: 30	GOVSTAB: 10	SURVIVAL
AUS: Austria	720	33.4	98	33.4	10	0.05
BEL: Belgium	1098	60.5	94.4	48.9	4	0.95
CZE: Czechoslovakia	568	69.0	95.9	37.4	6	0.89
EST: Estonia	468	28.5	95	14.0	6	0.12
FIN: Finland	590	22.0	99.1	22.0	9	0.77
FRA: France	983	21.2	96.2	34.8	5	0.95
GER: Germany	795	56.5	98.0	40.4	11	0.05
GRE: Greece	390	31.1	59.2	28.1	10	0.06
HUN: Hungary	424	36.3	85.0	21.6	13	0.42
IRE: Ireland	662	25.0	95.0	14.5	5	0.92
ITA: Italy	517	31.4	72.1	29.6	9	0.05
NET: Netherlands	1008	78.8	99.9	39.3	2	0.95
POL: Poland	350	37.0	76.9	11.2	21	0.12
POR: Portugal	320	15.3	38.0	23.1	19	0.05
ROM: Romania	331	21.9	61.8	12.2	7	0.21
SPA: Spain	367	43.0	55.6	25.2	12	0.06
SWE: Sweden	897	34.0	99.9	32.3	6	0.95
UK: United Kingdom	1038	74.0	99.9	49.9	4	0.95

CASE	GNPCAP: 550	URBANIZA: 50	LITERACY: 75	INDLAB: 30	GOVSTAB: 10	SURVIVAL
AUS: Austria	0.81	0.12	0.99	0.73	0.43	0.05
BEL: Belgium	0.99	0.89	0.98	1.00	0.98	0.95
CZE: Czechoslovakia	0.58	0.98	0.98	0.90	0.91	0.89
EST: Estonia	0.16	0.07	0.98	0.01	0.91	0.12
FIN: Finland	0.58	0.03	0.99	0.08	0.58	0.77
FRA: France	0.98	0.03	0.99	0.81	0.95	0.95
GER: Germany	0.89	0.79	0.99	0.96	0.31	0.05
GRE: Greece	0.04	0.09	0.13	0.36	0.43	0.06
HUN: Hungary	0.07	0.16	0.88	0.07	0.13	0.42
IRE: Ireland	0.72	0.05	0.98	0.01	0.95	0.92
ITA: Italy	0.34	0.10	0.41	0.47	0.58	0.05
NET: Netherlands	0.98	1.00	0.99	0.94	0.99	0.95
POL: Poland	0.02	0.17	0.59	0.00	0.00	0.12
POR: Portugal	0.01	0.02	0.01	0.11	0.01	0.05
ROM: Romania	0.01	0.03	0.17	0.00	0.84	0.21
SPA: Spain	0.03	0.30	0.09	0.21	0.20	0.06
SWE: Sweden	0.95	0.13	0.99	0.67	0.91	0.95
UK: United Kingdom	0.98	0.99	0.99	1.00	0.98	0.95

Calibration: before vs. after

Redesigning Social Inquiry

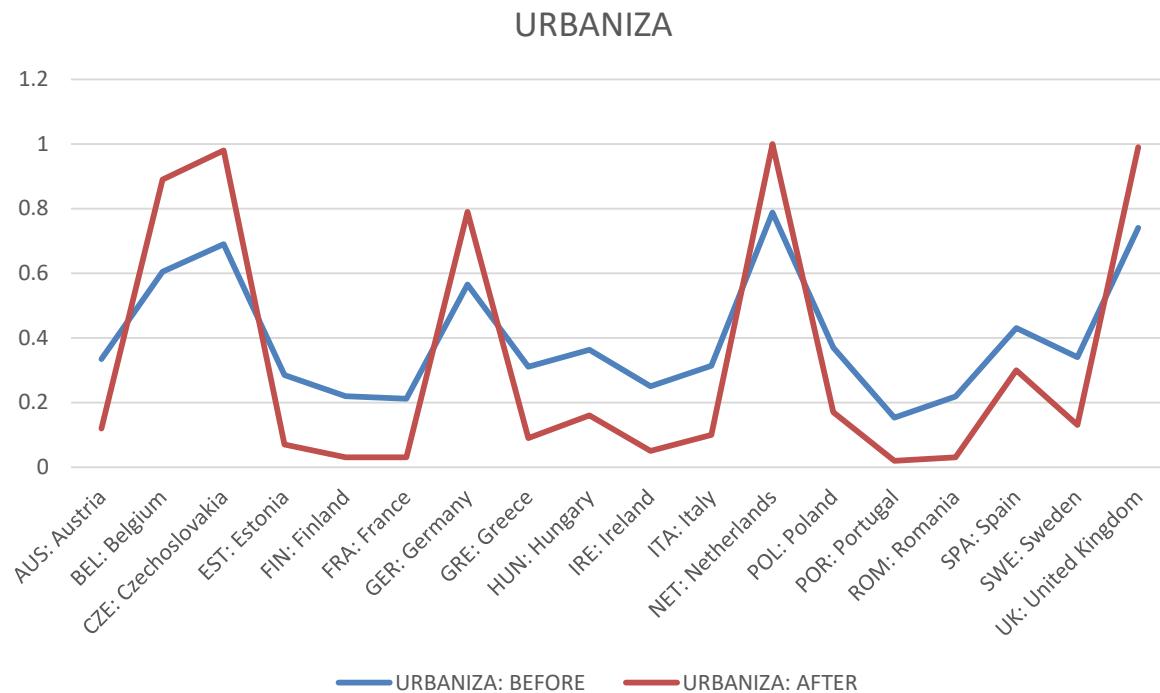


Charles C. Ragin
 Department of Sociology and
 Department of Political Science
 University of Arizona
 Tucson, AZ 85721 USA

www.fsqca.com
www.compasss.org
www.u.arizona.edu/~cragin
 cragin@u.arizona.edu

Calibration: before vs. after

Redesigning Social Inquiry

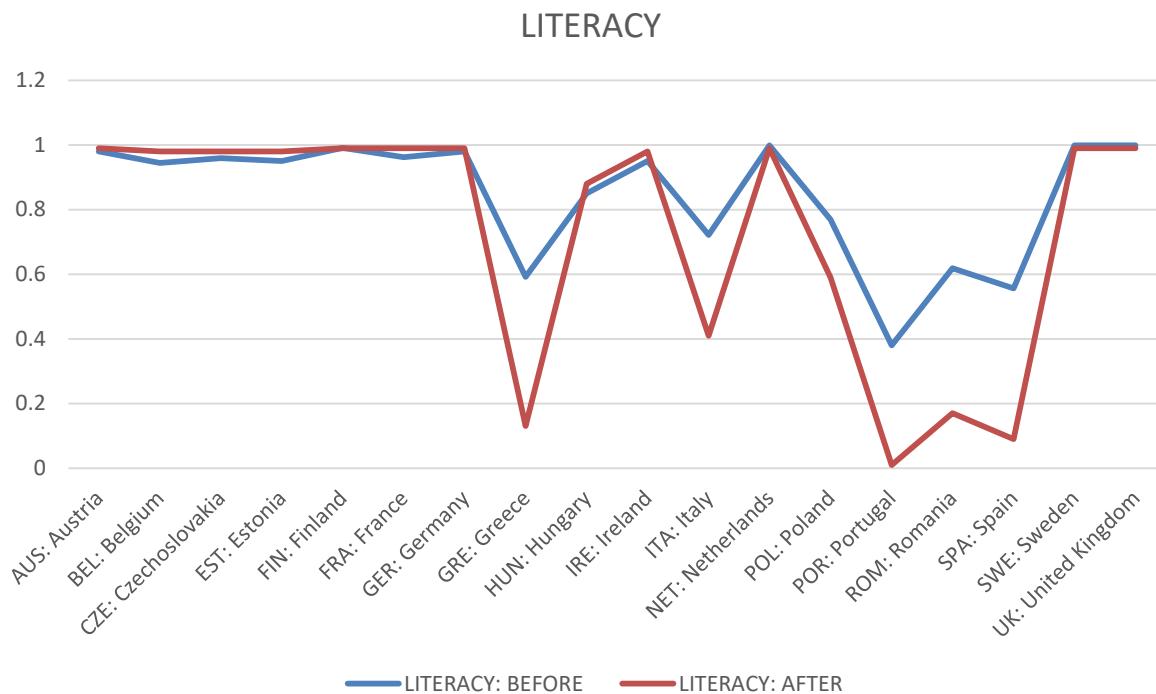


Charles C. Ragin
 Department of Sociology and
 Department of Political Science
 University of Arizona
 Tucson, AZ 85721 USA

www.fsqca.com
www.compasss.org
www.u.arizona.edu/~cragin
 cragin@u.arizona.edu

Calibration: before vs. after

Redesigning Social Inquiry

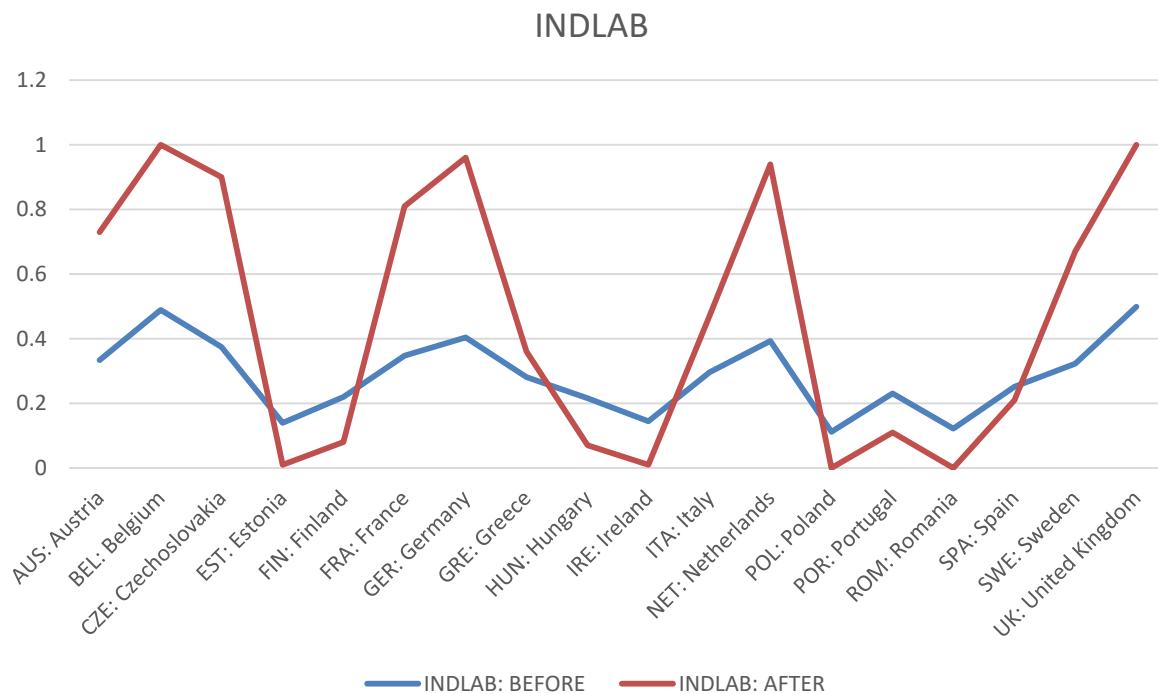


Charles C. Ragin
 Department of Sociology and
 Department of Political Science
 University of Arizona
 Tucson, AZ 85721 USA

www.fsqca.com
www.compasss.org
www.u.arizona.edu/~cragin
 cragin@u.arizona.edu

Calibration: before vs. after

Redesigning Social Inquiry

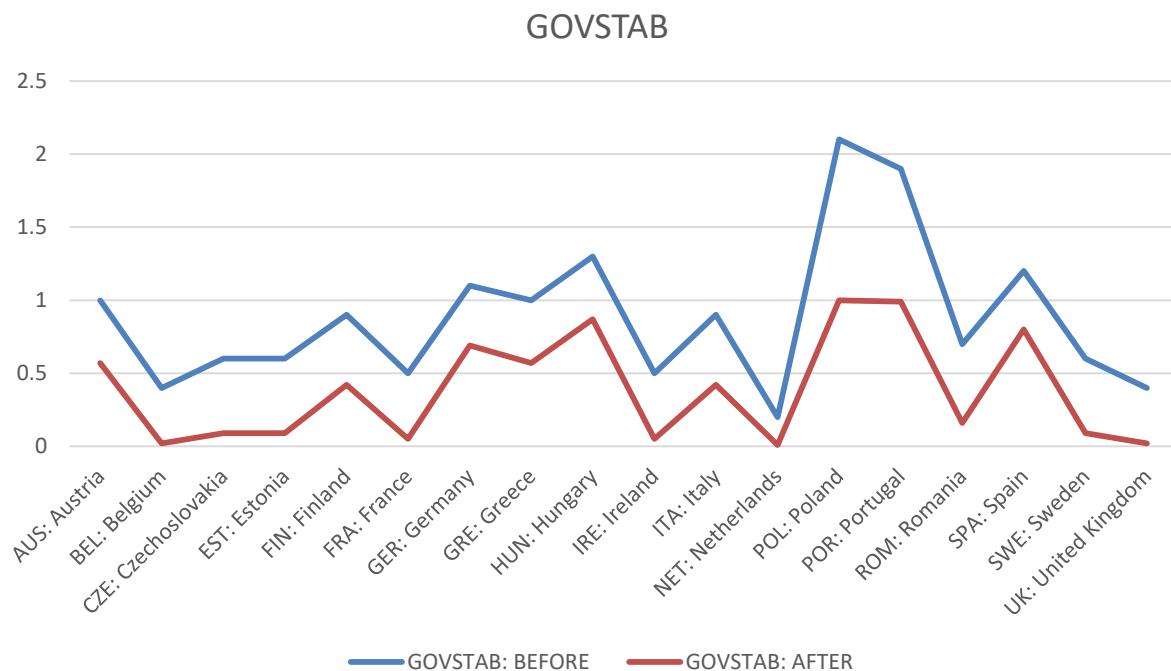


Charles C. Ragin
 Department of Sociology and
 Department of Political Science
 University of Arizona
 Tucson, AZ 85721 USA

www.fsqca.com
www.compasss.org
www.u.arizona.edu/~cragin
 cragin@u.arizona.edu

Calibration: before vs. after

Redesigning Social Inquiry

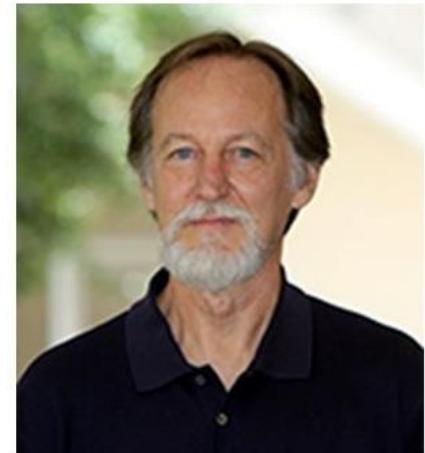


Charles C. Ragin
 Department of Sociology and
 Department of Political Science
 University of Arizona
 Tucson, AZ 85721 USA

www.fsqca.com
www.compasss.org
www.u.arizona.edu/~cragin
 cragin@u.arizona.edu

3.1 Calibration of fuzzy-set

“The specific translation of ordinal ranks to fuzzy membership scores depends on the *fit* between the content of the ordinal categories and the researcher’s conceptualisation of the fuzzy set...researchers must calibrate membership scores using *substantive and theoretical knowledge and should NOT be mechanical*” (Rihoux & de Meur, 2012, p.92)



I. What is QCA

- 1.1 Boolean algebra
- 1.2 Boolean minimisation
- 1.3 Necessary vs. sufficient conditions (I)
- 1.4 Veen diagram

II. Crisp-set QCA

- 2.1 The truth table
- 2.2 Types of configurations
- 2.3 Resolve contradictory configurations

III. Fuzzy-set QCA

- 3.1 Calibration of fuzzy-set
- 3.2 Logical AND & OR
- 3.3 Necessary vs. sufficient conditions (II)

3.2 Logical AND & OR

no longer as simple as

* = logical AND
+ = logical OR

With fuzzy sets, ***logical AND*** is accomplished by taking the ***minimum*** membership score of each case in the sets of conditions that are combined.

With fuzzy sets, ***logical OR*** is accomplished by taking the ***maximum*** membership score of each case in the sets of conditions that are combined.

CASE	DEVELOPMENT (D)	URBANISATION (U)	LITERACY (L)	logical AND (min)	Logical OR (max)
AUS: Austria	0.81	0.12	0.99	?	?
BEL: Belgium	0.99	0.89	0.98	?	?
CZE: Czechoslovakia	0.58	0.98	0.98	?	?
EST: Estonia	0.16	0.07	0.98	?	?
FIN: Finland	0.58	0.03	0.99	?	?
FRA: France	0.98	0.03	0.99	?	?
GER: Germany	0.89	0.79	0.99	?	?
GRE: Greece	0.04	0.09	0.13	?	?
HUN: Hungary	0.07	0.16	0.88	?	?
IRE: Ireland	0.72	0.05	0.98	?	?
ITA: Italy	0.34	0.10	0.41	?	?
NET: Netherlands	0.98	1.00	0.99	?	?
POL: Poland	0.02	0.17	0.59	?	?
POR: Portugal	0.01	0.02	0.01	?	?
ROM: Romania	0.01	0.03	0.17	?	?
SPA: Spain	0.03	0.30	0.09	?	?
SWE: Sweden	0.95	0.13	0.99	?	?
UK: United Kingdom	0.98	0.99	0.99	?	?

CASE	DEVELOPMENT (D)	URBANISATION (U)	LITERACY (L)	logical AND (min) D * U * L	Logical OR (max) D + U + L
AUS: Austria	0.81	0.12	0.99	0.12	0.99
BEL: Belgium	0.99	0.89	0.98	0.89	0.98
CZE: Czechoslovakia	0.58	0.98	0.98	0.58	0.98
EST: Estonia	0.16	0.07	0.98	0.07	0.98
FIN: Finland	0.58	0.03	0.99	0.03	0.99
FRA: France	0.98	0.03	0.99	0.03	0.99
GER: Germany	0.89	0.79	0.99	0.79	0.99
GRE: Greece	0.04	0.09	0.13	0.04	0.13
HUN: Hungary	0.07	0.16	0.88	0.07	0.88
IRE: Ireland	0.72	0.05	0.98	0.05	0.98
ITA: Italy	0.34	0.10	0.41	0.10	0.41
NET: Netherlands	0.98	1.00	0.99	0.98	0.99
POL: Poland	0.02	0.17	0.59	0.02	0.59
POR: Portugal	0.01	0.02	0.01	0.01	0.02
ROM: Romania	0.01	0.03	0.17	0.01	0.17
SPA: Spain	0.03	0.30	0.09	0.03	0.30
SWE: Sweden	0.95	0.13	0.99	0.13	0.99
UK: United Kingdom	0.98	0.99	0.99	0.98	0.99

I. What is QCA

- 1.1 Boolean algebra
- 1.2 Boolean minimisation
- 1.3 Necessary vs. sufficient conditions (I)
- 1.4 Veen diagram

II. Crisp-set QCA

- 2.1 The truth table
- 2.2 Types of configurations
- 2.3 Resolve contradictory configurations

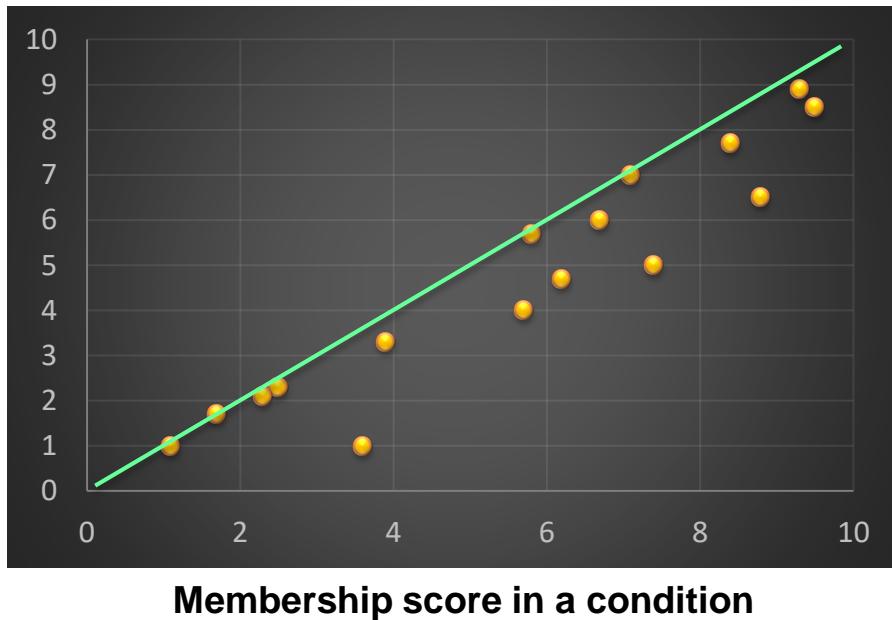
III. Fuzzy-set QCA

- 3.1 Calibration of fuzzy-set
- 3.2 Logical AND & OR
- 3.3 Necessary vs. sufficient conditions (II)

3.2 Necessary vs. sufficient conditions (II)

Consistency ($Y_i \leq X_i$) = $\sum(\min(X_i, Y_i))/\sum(Y_i)$

Membership score in an outcome



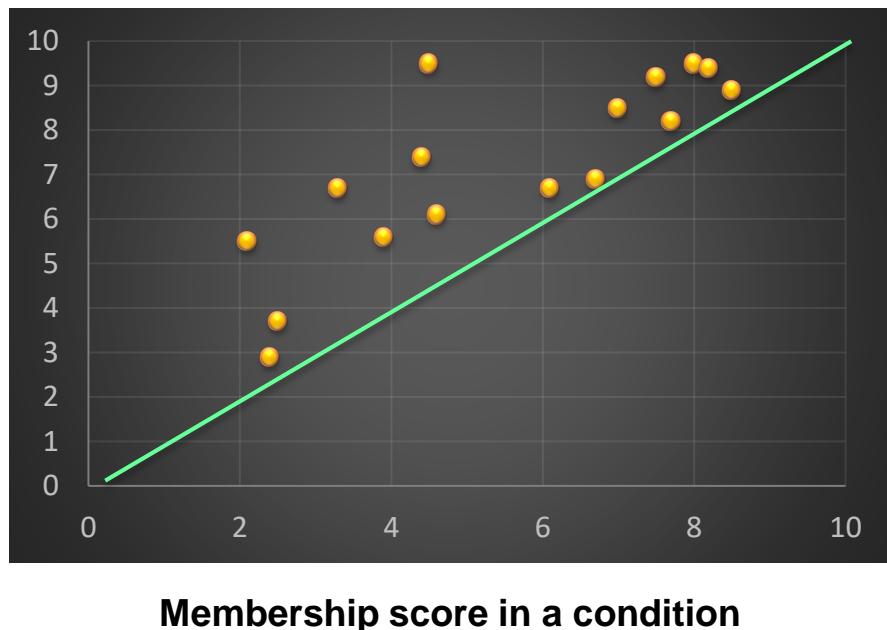
A **necessary condition** is a condition that must be present for the outcome to occur, but its presence does not guarantee that occurrence.

The set of cases within the outcome is a subset of cases within the causal conditions.

3.2 Necessary vs. sufficient conditions (II)

Consistency ($X_i \leq Y_i$) = $\sum(\min(X_i, Y_i))/\sum(X_i)$

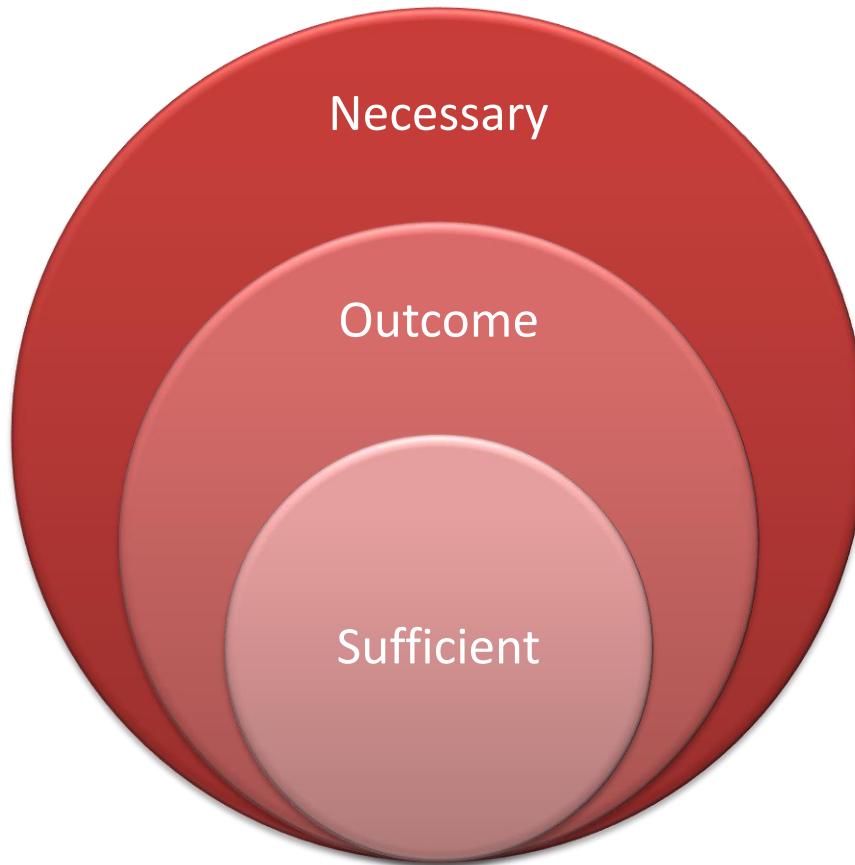
Membership score in an outcome



A **sufficient condition** is a condition that is sufficient for an outcome, if the outcome always occurs when the condition (or combination of conditions) is present.

The set of cases in a condition is also a subset of cases in the outcome.

3.2 Necessary vs. sufficient conditions (II)

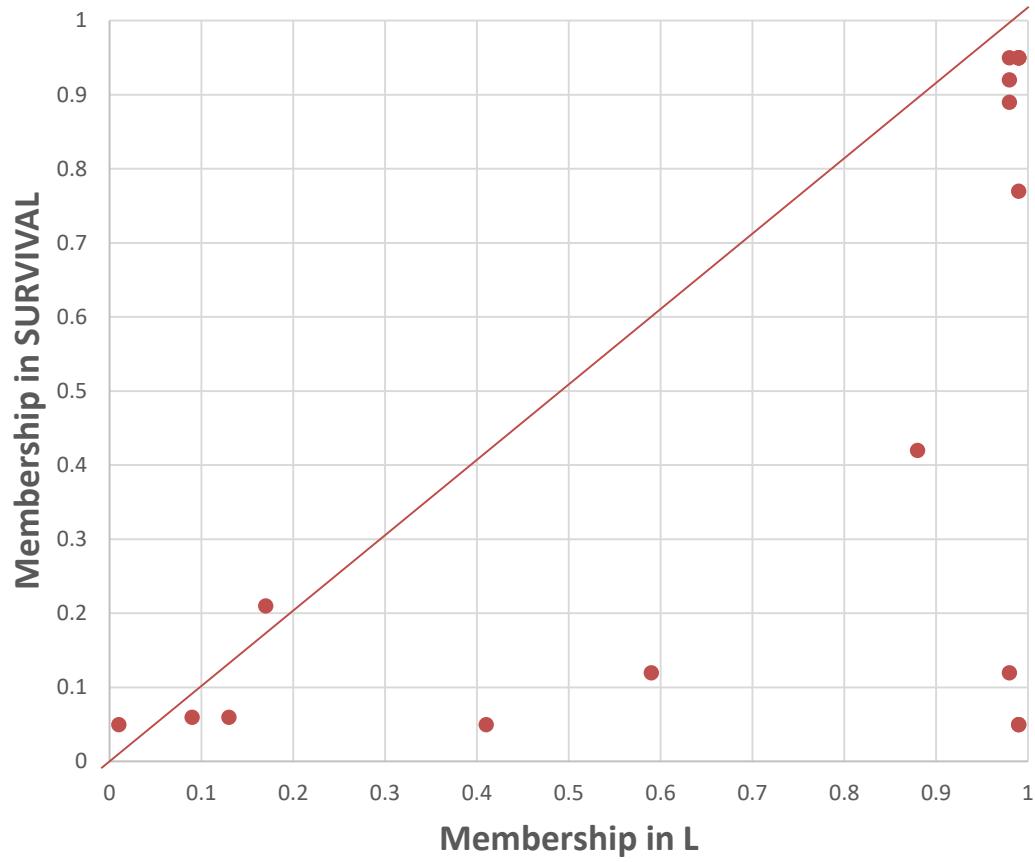


CASE	DEVELOPMENT (D)	URBANISATION (U)	LITERATE (L)	logical AND (min) D * U * L	Logical OR (max) D + U + L
AUS: Austria	0.81	0.12	0.99	0.12	0.99
BEL: Belgium	0.99	0.89	0.98	0.89	0.98
CZE: Czechoslovakia	0.58	0.98	0.98	0.58	0.98
EST: Estonia	0.16	0.07	0.98	0.07	0.98
FIN: Finland	0.58	0.03	0.99	0.03	0.99
FRA: France	0.98	0.03	0.99	0.03	0.99
GER: Germany	0.89	0.79	0.99	0.79	0.99
GRE: Greece	0.04	0.09	0.13	0.04	0.13
HUN: Hungary	0.07	0.16	0.88	0.07	0.88
IRE: Ireland	0.72	0.05	0.98	0.05	0.98
ITA: Italy	0.34	0.10	0.41	0.10	0.41
NET: Netherlands	0.98	1.00	0.99	0.98	0.99
POL: Poland	0.02	0.17	0.59	0.02	0.59
POR: Portugal	0.01	0.02	0.01	0.01	0.02
ROM: Romania	0.01	0.03	0.17	0.01	0.17
SPA: Spain	0.03	0.30	0.09	0.03	0.30
SWE: Sweden	0.95	0.13	0.99	0.13	0.99
UK: United Kingdom	0.98	0.99	0.99	0.98	0.99

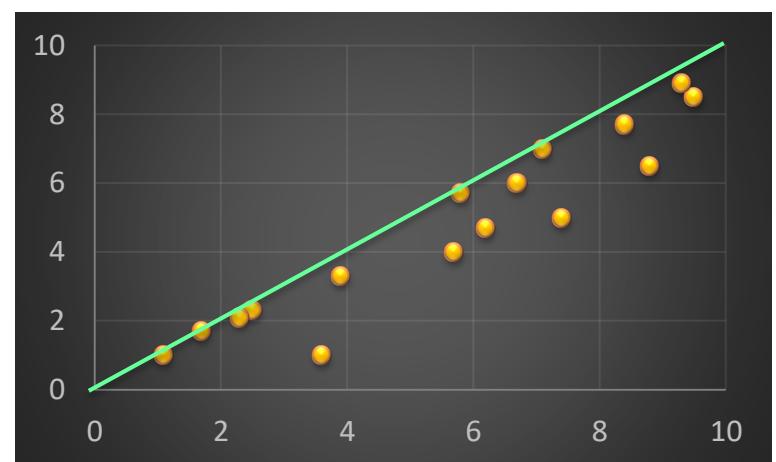
CASE	D	U	L	D * U * L	~ D	~ U	~ L	~ D * ~ U * ~ L	Survival	Breakdown
AUS: Austria	0.81	0.12	0.99	0.12	0.19	0.88	0.01	0.01	0.05	0.95
BEL: Belgium	0.99	0.89	0.98	0.89	0.01	0.11	0.02	0.01	0.95	0.05
CZE: Czechoslovakia	0.58	0.98	0.98	0.58	0.42	0.02	0.02	0.02	0.89	0.11
EST: Estonia	0.16	0.07	0.98	0.07	0.84	0.93	0.02	0.02	0.12	0.88
FIN: Finland	0.58	0.03	0.99	0.03	0.42	0.97	0.01	0.01	0.77	0.23
FRA: France	0.98	0.03	0.99	0.03	0.02	0.97	0.01	0.01	0.95	0.05
GER: Germany	0.89	0.79	0.99	0.79	0.11	0.21	0.01	0.01	0.05	0.95
GRE: Greece	0.04	0.09	0.13	0.04	0.96	0.91	0.87	0.87	0.06	0.94
HUN: Hungary	0.07	0.16	0.88	0.07	0.93	0.84	0.12	0.12	0.42	0.58
IRE: Ireland	0.72	0.05	0.98	0.05	0.28	0.95	0.02	0.02	0.92	0.08
ITA: Italy	0.34	0.10	0.41	0.10	0.66	0.90	0.59	0.59	0.05	0.95
NET: Netherlands	0.98	1.00	0.99	0.98	0.02	0.00	0.01	0.00	0.95	0.05
POL: Poland	0.02	0.17	0.59	0.02	0.98	0.83	0.41	0.41	0.12	0.88
POR: Portugal	0.01	0.02	0.01	0.01	0.99	0.98	0.99	0.98	0.05	0.95
ROM: Romania	0.01	0.03	0.17	0.01	0.99	0.97	0.83	0.83	0.21	0.79
SPA: Spain	0.03	0.30	0.09	0.03	0.97	0.70	0.91	0.70	0.06	0.94
SWE: Sweden	0.95	0.13	0.99	0.13	0.05	0.87	0.01	0.01	0.95	0.05
UK: United Kingdom	0.98	0.99	0.99	0.98	0.02	0.01	0.01	0.01	0.95	0.05

CASE	D	U	L	D * U * L	~ D	~ U	~ L	~ D * ~ U * ~ L	Survival	Breakdown
AUS: Austria	0.81	0.12	0.99	0.12	0.19	0.88	0.01	0.01	0.05	0.95
BEL: Belgium	0.99	0.89	0.98	0.89	0.01	0.11	0.02	0.01	0.95	0.05
CZE: Czechoslovakia	0.58	0.98	0.98	0.58	0.42	0.02	0.02	0.02	0.89	0.11
EST: Estonia	0.16	0.07	0.98	0.07	0.84	0.93	0.02	0.02	0.12	0.88
FIN: Finland	0.58	0.03	0.99	0.03	0.42	0.97	0.01	0.01	0.77	0.23
FRA: France	0.98	0.03	0.99	0.03	0.02	0.97	0.01	0.01	0.95	0.05
GER: Germany	0.89	0.79	0.99	0.79	0.11	0.21	0.01	0.01	0.05	0.95
GRE: Greece	0.04	0.09	0.13	0.04	0.96	0.91	0.87	0.87	0.06	0.94
HUN: Hungary	0.07	0.16	0.88	0.07	0.93	0.84	0.12	0.12	0.42	0.58
IRE: Ireland	0.72	0.05	0.98	0.05	0.28	0.95	0.02	0.02	0.92	0.08
ITA: Italy	0.34	0.10	0.41	0.10	0.66	0.90	0.59	0.59	0.05	0.95
NET: Netherlands	0.98	1.00	0.99	0.98	0.02	0.00	0.01	0.00	0.95	0.05
POL: Poland	0.02	0.17	0.59	0.02	0.98	0.83	0.41	0.41	0.12	0.88
POR: Portugal	0.01	0.02	0.01	0.01	0.99	0.98	0.99	0.98	0.05	0.95
ROM: Romania	0.01	0.03	0.17	0.01	0.99	0.97	0.83	0.83	0.21	0.79
SPA: Spain	0.03	0.30	0.09	0.03	0.97	0.70	0.91	0.70	0.06	0.94
SWE: Sweden	0.95	0.13	0.99	0.13	0.05	0.87	0.01	0.01	0.95	0.05
UK: United Kingdom	0.98	0.99	0.99	0.98	0.02	0.01	0.01	0.01	0.95	0.05

Necessary condition

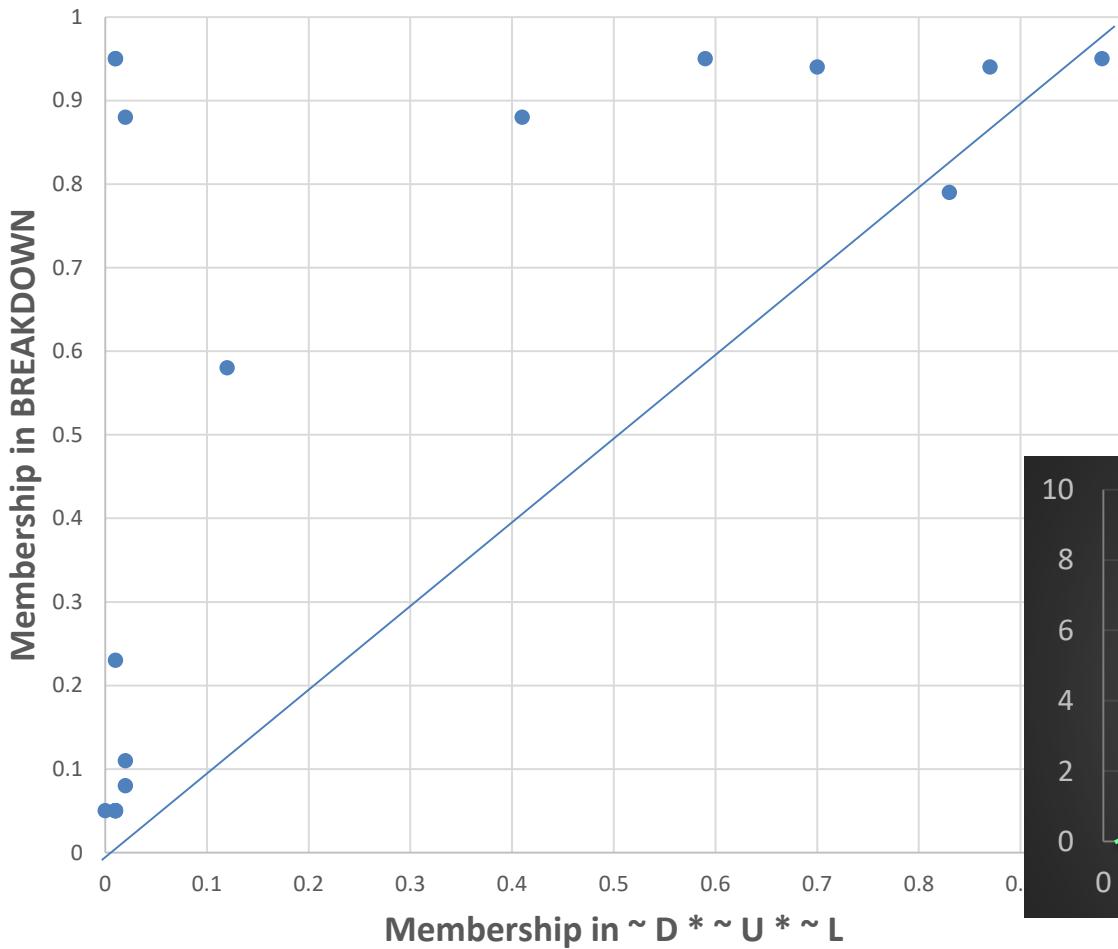


A **necessary condition** is a condition that must be present for the outcome to occur, but its presence does not guarantee that occurrence.

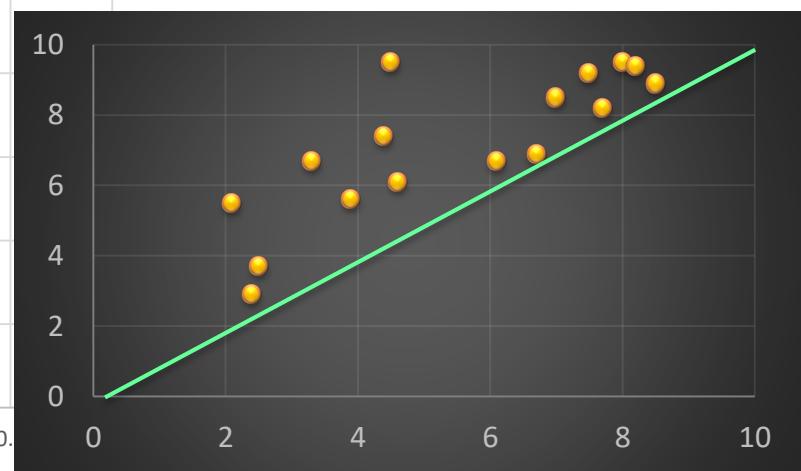


CASE	D	U	L	D * U * L	~D	~U	~L	~D * ~U * ~L	Survival	Breakdown
AUS: Austria	0.81	0.12	0.99	0.12	0.19	0.88	0.01	0.01	0.05	0.95
BEL: Belgium	0.99	0.89	0.98	0.89	0.01	0.11	0.02	0.01	0.95	0.05
CZE: Czechoslovakia	0.58	0.98	0.98	0.58	0.42	0.02	0.02	0.02	0.89	0.11
EST: Estonia	0.16	0.07	0.98	0.07	0.84	0.93	0.02	0.02	0.12	0.88
FIN: Finland	0.58	0.03	0.99	0.03	0.42	0.97	0.01	0.01	0.77	0.23
FRA: France	0.98	0.03	0.99	0.03	0.02	0.97	0.01	0.01	0.95	0.05
GER: Germany	0.89	0.79	0.99	0.79	0.11	0.21	0.01	0.01	0.05	0.95
GRE: Greece	0.04	0.09	0.13	0.04	0.96	0.91	0.87	0.87	0.06	0.94
HUN: Hungary	0.07	0.16	0.88	0.07	0.93	0.84	0.12	0.12	0.42	0.58
IRE: Ireland	0.72	0.05	0.98	0.05	0.28	0.95	0.02	0.02	0.92	0.08
ITA: Italy	0.34	0.10	0.41	0.10	0.66	0.90	0.59	0.59	0.05	0.95
NET: Netherlands	0.98	1.00	0.99	0.98	0.02	0.00	0.01	0.00	0.95	0.05
POL: Poland	0.02	0.17	0.59	0.02	0.98	0.83	0.41	0.41	0.12	0.88
POR: Portugal	0.01	0.02	0.01	0.01	0.99	0.98	0.99	0.98	0.05	0.95
ROM: Romania	0.01	0.03	0.17	0.01	0.99	0.97	0.83	0.83	0.21	0.79
SPA: Spain	0.03	0.30	0.09	0.03	0.97	0.70	0.91	0.70	0.06	0.94
SWE: Sweden	0.95	0.13	0.99	0.13	0.05	0.87	0.01	0.01	0.95	0.05
UK: United Kingdom	0.98	0.99	0.99	0.98	0.02	0.01	0.01	0.01	0.95	0.05

Sufficient conditions



A **sufficient condition** is a condition that is sufficient for an outcome, if the outcome always occurs when the condition (or combination of conditions) is present.



Software packages



<http://www.socsci.ci.edu/~cragin/fsQC/A/software.shtml>



TOSMANA

<https://www.tosmana.net/>



<https://www.r-project.org/>

Further reading

- Cooper, B., & Glaesser, J. (2016). Qualitative Comparative Analysis, Necessary Conditions, and Limited Diversity: Some Problematic Consequences of Schneider and Wagemann's Enhanced Standard Analysis. *Field Methods*, 28(3), 300–315. <https://doi.org/10.1177/1525822X15598974>
- Cress, D. M., & Snow, D. A. (2000). The Outcomes of Homeless Mobilization: The Influence of Organization, Disruption, Political Mediation, and Framing. *American Journal of Sociology*, 105(4), 1063–1104. <https://doi.org/10.1086/210399>
- Gran, B. (2003). Charitable choice policy and abused children: the benefits and harms of going beyond the public-private dichotomy. *International Journal of Sociology and Social Policy*, 23(11), 80–125. <https://doi.org/10.1108/01443330310790363>
- Handbook, T. S. (2013). The SAGE Handbook of Case-Based Methods - David Byrne.
- Harriss-White, B., Olsen, W., Vera-Sanso, P., & Suresh, V. (2013). Multiple shocks and slum household economies in South India. *Economy and Society*, 42(3), 398–429. <https://doi.org/10.1080/03085147.2013.772760>
- Haynes, P. (2014). Combining the Strengths of Qualitative Comparative Analysis with Cluster Analysis for Comparative Public Policy Research: With Reference to the Policy of Economic Convergence in the Euro Currency Area. *International Journal of Public Administration*, 37(9), 581–590. <https://doi.org/10.1080/01900692.2014.880849>
- Kent, R. (2018). Cases as Configurations: Using Combinatorial and Fuzzy Logic to Analyse Marketing Data. *International Journal of Market Research*, 47(2), 205–228. <https://doi.org/10.1177/147078530504700202>
- Kogut, B., Macduffie, J. P., & Ragin, C. (2004). Credit Using Fuzzy Sets. *European Management Review*, 1, 114–131. <https://doi.org/10.1057/palgrave.emr.1500020>
- Krook, M. L. (2010). Women's Representation in Parliament: A Qualitative Comparative Analysis. *Political Studies*, 58(5), 886–908. <https://doi.org/10.1111/j.1467-9248.2010.00833.x>
- Ragin, C. C. (2017). Crisp-Set Qualitative Comparative Analysis (csQCA).
- Ragin, C. C. (2008). What is Qualitative Comparative Analysis (QCA)? ESRC Research Methods Festival, 1–19. [https://doi.org/10.1016/0921-5093\(89\)90627-8](https://doi.org/10.1016/0921-5093(89)90627-8)

Any questions?



Thank you!